



# An oxygen barometer for rutile–ilmenite assemblages: oxidation state of metasomatic agents in the mantle

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## Abstract

Oxygen fugacity has been calculated for rutile–ilmenite assemblages from the reaction  $2\text{Fe}_2\text{O}_3$  (in ilmenite) +  $4\text{TiO}_2$  (rutile) =  $4\text{FeTiO}_3$  (in ilmenite) +  $\text{O}_2$ . The equation  $\log f\text{O}_2 = 22.59 - 25925/T - 3.09 \log T + 0.0016535P + 48.836P/T - 4 \log a_{\text{FeTiO}_3}^{\text{Ilm}} + 2 \log a_{\text{Fe}_2\text{O}_3}^{\text{Ilm}} + 4 \log a_{\text{TiO}_2}^{\text{Rut}}$ , where  $T$  is in kelvin and  $P$  is in kbar, was derived from available thermodynamic data. The hypothetical end-member rutile–ilmenite reaction is located between the magnetite–hematite and Ni–NiO (NNO) buffers. The rutile–ilmenite oxygen barometer has been applied to ilmenite-bearing assemblages in mantle xenoliths from kimberlites, including the metasomatic MARID (mica–amphibole–rutile–ilmenite–diopside) suite and a MORID (mica–orthopyroxene–rutile–ilmenite–diopside) vein, along with rutile–ilmenite assemblages in eclogites and in Granny Smith diopside megacrysts. The oxygen fugacities of MARID and MORID lie around the NNO buffer and are comparable to those in metasomatized spinel lherzolites. Most MARID and MORID assemblages yield a more oxidizing  $f\text{O}_2$  than the EMOD (enstatite–magnesite–olivine–diamond) buffer, such that MARID and MORID fluid or melt would tend to destroy diamond or graphite by oxidation. © 1999 Elsevier Science B.V. All rights reserved.

**Keywords:** rutile; ilmenite; oxygen; mantle; xenoliths; kimberlite; diamond; metasomatic rocks

## 1. Introduction

The oxidation state of the mantle provides a fundamental constraint on mantle processes. Several methods have been developed to calculate oxygen fugacity ( $f\text{O}_2$ ) in various mantle assemblages [1–9]. The most widely used oxygen barometer for mantle rocks applies the reaction  $6\text{FeSiO}_3$  (in orthopyroxene) +  $2\text{Fe}_3\text{O}_4$  (in spinel) =  $6\text{Fe}_2\text{SiO}_4$  (in olivine) +  $\text{O}_2$  [4–8]. For example, Wood et al. [7] used this method on peridotite xenoliths from continen-

tal localities to obtain oxygen fugacities near those of the fayalite–magnetite–quartz (FMQ) buffer. The equilibrium  $2\text{Fe}_2\text{O}_3$  (in ilmenite) +  $4\text{FeSiO}_3$  (in orthopyroxene) =  $4\text{Fe}_2\text{SiO}_4$  (in olivine) +  $\text{O}_2$  has been applied to megacrysts, mineral intergrowths, and peridotites from kimberlites and minettes [1]. The resultant values of  $\log f\text{O}_2$  derived from the various equilibria fall mostly between FMQ –1.5 and FMQ +1.5 [7], with mid-oceanic ridge basaltic glasses and unmetasomatized mantle rocks below FMQ [7,8,11]. Esseneite and acmite components in clinopyroxene coexisting with olivine and orthopyroxene have also been used to characterize oxygen fugacity in mantle assemblage [9]. In addition, oxygen fugacities

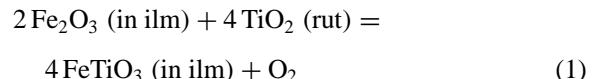
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of mantle rocks have been measured by the intrinsic  $fO_2$  method [3], although this method may not record  $fO_2$  conditions of the xenolith at the time of equilibration in the mantle [7,10].

The redox state of mantle metasomatism has been characterized by applying orthopyroxene–spinel–olivine oxygen barometer to metasomatized spinel-bearing peridotite xenoliths [5,8,11]. It was found that mantle metasomatism recorded by peridotites from continental basalts appears to be coupled with oxidation, i.e., oxidation state increases with increasing degree of metasomatism [8], and that metasomatizing agents are more oxidizing than primitive mantle [12]. Extensively metasomatized mantle xenoliths with phlogopite, K-richterite and Ti- and Mn-enriched chromite yield  $fO_2$  about 1.5 log unit above FMQ [8]. Mantle xenoliths brought up by kimberlites include MARID (mica–amphibole–rutile–ilmenite–diopside) suites, which are believed to form by mantle metasomatism [13,14] or from melts [15]. Waters [16] systematically studied about 50 MARID and related suites from the Bultfontein, De Beers, Wesselton, Dutoitspan and Newlands kimberlite pipes in southern Africa. Therefore, the oxidation state of the MARID suite may provide additional information about mantle metasomatism (e.g., [17]). The oxidation state of the MARID suite has not yet been studied systematically, and both oxidizing [13] and reducing [18] conditions have been suggested based on qualitative arguments such as high  $Fe^{3+}$  in diopside and low  $Fe^{3+}/Fe^{2+}$  ratio in ilmenite. We have described a metasomatic assemblage containing phlogopite–orthopyroxene–rutile–ilmenite–diopside–chromite (referred to as MORID hereafter) in a garnet–spinel lherzolite xenolith<sup>1</sup> in the Nikos kimberlites, Somerset Island, Northwest Territories, Canada [19]. MORID-type assemblages were previously reported in [13,16]. Given a similar enrichment in H, K, Ti and Fe, the MORID assemblage probably has a related metasomatic or

melt origin as the MARID suite. Motivated by an attempt to constrain chemical conditions of mantle metasomatism in the MARID and MORID suites, we describe here an oxygen barometer using rutile and ilmenite, which are two characteristic phases in these suites.

Carmichael and Nicholls [36] suggested that ilmenite coexisting with rutile in eclogite could be used to estimate  $fO_2$  using the reaction (referred to as RI hereafter)<sup>2</sup>:



Two comments may clarify the use of this reaction: (i) although only ilmenite solid solution that is low in  $Fe^{3+}$  can coexist with rutile at low pressures owing to the formation of pseudobrookite solid solution, at high pressures and/or low to moderate temperatures, pseudobrookite group minerals (including armalcolite) are unstable and hence the above assemblage can serve as an oxygen barometer [37,38]; (ii) the single phase ilmenite by itself does not fix oxygen fugacity but only limits oxygen fugacity. Woermann et al. [39] contoured  $fO_2$  isobars for  $\text{Fe}_2\text{O}_3$ – $\text{FeTiO}_3$ – $\text{MgTiO}_3$  solid solution in equilibrium with an undesignated spinel; their result was erroneously applied by later workers in the absence of spinel (e.g., some applications in Haggerty [17] were for ilmenite ± spinel).

Grambling [40] used the Gibbs method to estimate  $\Delta\mu_{\text{O}_2}$  (and hence  $\Delta\log fO_2$ ) at 4 kbar for coexisting rutile and ilmenite in crustal rocks with this reaction by assuming an ideal model for ilmenite solid solution. He obtained  $fO_2$  for a reference sample with coexisting hematite and ilmenite phases [41] and then calculated  $fO_2$  for other samples with coexisting rutile and ilmenite by using the reference  $fO_2$  and the estimated  $\Delta\log fO_2$ . His model cannot be applied if a reference  $fO_2$  is not available and in any case mixing of  $\text{Fe}_2\text{O}_3$ – $\text{FeTiO}_3$ – $\text{MgTiO}_3$  in ilmenite is not ideal [42,43]. In this paper, we formulate the rutile–ilmenite oxygen barometer using available thermodynamic data and non-ideal mix-

<sup>1</sup> The transition between garnet lherzolite and spinel lherzolite in the system MAS is represented by the univariant reaction  $2\text{Mg}_2\text{Si}_2\text{O}_6 + \text{MgAl}_2\text{O}_4 = \text{Mg}_3\text{Al}_2\text{Si}_3\text{O}_{12} + \text{Mg}_2\text{SiO}_4$ , and the addition of  $\text{Cr}_2\text{O}_3$  to the system changes the univariant boundary to a wide divariant field extending the stability of spinel–enstatite to much higher pressure [20]. Therefore, garnet–chromite lherzolite is an expected divariant assemblage and is not uncommon in kimberlites [21–35].

<sup>2</sup> This oxygen barometer can be combined with the two-oxide barometer to produce the following oxygen barometer:  $2\text{Fe}_3\text{O}_4$  (in chromite) +  $3\text{TiO}_2$  (rutile) =  $3\text{Fe}_2\text{TiO}_4$  (in chromite) +  $\text{O}_2$ .

ing models for rhombohedral oxides in the system  $\text{Fe}_2\text{O}_3$ – $\text{FeTiO}_3$ – $\text{MgTiO}_3$ .

## 2. Formulation of the oxygen barometer

The oxygen fugacities of assemblages containing both rutile and ilmenite can be calculated from the equilibrium constant of reaction (1). At equilibrium,

$$2.303RT \log \left( \frac{(f\text{O}_2)(a_{\text{FeTiO}_3}^{\text{Ilm}})^4}{(a_{\text{Fe}_2\text{O}_3}^{\text{Ilm}})^2(a_{\text{TiO}_2}^{\text{Rut}})^4} \right) = -\Delta G_T^P \\ = - \left( \Delta G_T^0 + \int_1^P \Delta V_s dP \right) \quad (2)$$

where  $R$  is the gas constant in  $\text{J mol}^{-1} \text{K}^{-1}$ ,  $T$  is in kelvin,  $P$  in bar,  $\Delta G_T^P$  and  $\Delta G_T^0$  are the Gibbs free energy (J) of the end-member reaction at  $T$ ,  $P$ ) and at ( $T$ , 1 bar), and  $\Delta V_s$  is the volume difference between the solid product and reactants in  $\text{J}/\text{bar}$ . In evaluating  $\Delta G$  and  $\Delta V_s$ ,  $\text{Fe}_2\text{O}_3$  in hematite is used as the standard state for  $\text{Fe}_2\text{O}_3$  in ilmenite. This approach is appropriate because the activity model for  $\text{Fe}_2\text{O}_3$  in ilmenite also uses  $\text{Fe}_2\text{O}_3$  in hematite as the standard state (e.g., Ghiorso [42]; Andersen et al. [43]). The  $\Delta G_T^P$  for reaction (1) is evaluated from three different thermodynamic data sets [44–46]. Two data sets [45,46] yield  $\log f\text{O}_2$  nearly identical to each other (Fig. 1), while the third [44] shows small discrepancies at higher temperatures, with differences of  $< 0.3 \log f\text{O}_2$  at  $1500^\circ\text{C}$  and better agreement at lower temperatures (Fig. 1). The hypothetical end-member RI reaction in  $\log f\text{O}_2$  vs.  $T$  space is located between the magnetite–hematite (MH) and the NNO buffers at 1 bar total pressure (Fig. 1). Because our calculations are related to  $\text{Fe}^{3+}$ -bearing system and because the entropy of mixing on the ilmenite–hematite and geikielite–hematite joins was explicitly formulated in Ghiorso's model [42], we select his solution model, which includes a modification of Berman's [44] standard state thermodynamic data for consistency. The  $\Delta G_T^P$  was first calculated from Berman [44] (using the PerPlex program with data b92ver.dat, see Connolly [47] and <http://buzzard.ethz.ch/~jamie/perplex.html>) at  $700$ – $1800$  K and  $\leq 60$  kbar, and then was fit to the form of  $\Delta G_T^P = C_0 + C_1 T + C_2 T \log T + C_3 P + C_4 PT$ , which reproduces  $\Delta G_T^P$  from Berman [44]

with a maximum deviation of 0.8 kJ at  $700$ – $1800$  K and  $\leq 60$  kbar ( $r^2 = 0.99998$ ), equivalent to 0.05 unit in  $\log f\text{O}_2$ . Because Ghiorso [42] modified the standard state enthalpy of hematite at  $298.15$  K and 1 bar from Berman's  $-825.627$  kJ/mol [44] to  $-822.0$  kJ/mol, his modification is incorporated by subtracting 7254 J for 2 moles of hematite from the  $\Delta G_T^P$  from Berman [44]. The resulting  $\Delta G_T^P$  expression at  $700$ – $1800$  K and  $\leq 60$  kbar is:

$$\Delta G_T^P = 496340 - 432.47T + 59.168T \log T \\ - 934.96P - 0.031656PT \quad (3)$$

where  $\Delta G_T^P$  is in J,  $T$  in kelvin and  $P$  in kbar. Substituting Eq. 3 into Eq. 2 and rearranging yield:

$$\log f\text{O}_2 = 22.59 - 25925/T - 3.09 \log T \\ + 0.0016535P + 48.836P/T - 4 \log a_{\text{FeTiO}_3}^{\text{Ilm}} \\ + 2 \log a_{\text{Fe}_2\text{O}_3}^{\text{Ilm}} + 4 \log a_{\text{TiO}_2}^{\text{Rut}} \quad (4)$$

Therefore, oxygen fugacities of assemblages containing both rutile and ilmenite may be calculated from the activities of  $\text{FeTiO}_3$ ,  $\text{Fe}_2\text{O}_3$  and  $\text{TiO}_2$  by Eq. 4 at a given  $P$  and  $T$ . If rutile is not present, the RI oxygen barometer can be applied to single ilmenite crystals to obtain an upper limit of  $f\text{O}_2$ . Because the  $\Delta V_s$  values for NNO and RI reactions are similar ( $-0.876 \text{ J}/\text{bar}$  for NNO and  $-0.902 \text{ J}/\text{bar}$  for RI at 1 bar and  $298.15$  K), the pressure effect nearly cancels if  $\log f\text{O}_2$  from the RI oxygen barometer is normalized to  $\log f\text{O}_2$  from the NNO buffer. The major component in rutile is  $\text{TiO}_2$  (usually  $> 95$  wt%); the mole fraction of  $\text{TiO}_2$  in rutile is used as the activity of  $\text{TiO}_2$ .

## 3. Sources of error

One source of uncertainty is from the mixing model [42,43] used to calculate the activities of  $\text{Fe}_2\text{O}_3$  and  $\text{FeTiO}_3$  in ilmenite, especially the uncertainty associated with the dependence of activity model on pressure, which has not yet been accounted for by available mixing models. Furthermore, the two mixing models for the ilmenite solid solution [42,43] do not result in similar activities. To compare results from the two models,  $\log f\text{O}_2$  values are calculated by (i) using Eq. 4 with activities from

Table 1  
Oxygen fugacities of various assemblages calculated from rutile–ilmenite (RI) and other oxygen barometers

Sample No.	<i>T</i> <sup>a</sup> (K)	<i>P</i> <sup>a</sup> (kbar)	Mole fractions						Activities			<i>log fO</i> <sub>2</sub>	$\Delta \log fO_2$	<i>log fO</i> <sub>2</sub>	<i>log fO</i> <sub>2</sub>
			MgTiO <sub>3</sub>	Fe <sub>2</sub> O <sub>3</sub>	FeTiO <sub>3</sub>	MnTiO <sub>3</sub>	TiO <sub>2</sub> (Rut)	Fe <sup>3+</sup> / $\sum$ Fe	Fe <sub>2</sub> O <sub>3</sub>	FeTiO <sub>3</sub>	TiO <sub>2</sub>	RI <sup>b</sup>	RI <sup>b</sup> –NNO <sup>c</sup>	Sp–Ilm <sup>d</sup>	Ol–Opx–Sp <sup>e</sup>
<i>MARID</i>															
1158	1300	36	0.386	0.058	0.547	0.009	0.923	0.176	0.021	0.629	0.923	-8.3	0.3		
AJE288	1300	36	0.367	0.045	0.577	0.012	0.820	0.136	0.013	0.659	0.820	-8.9	-0.3		
AJE326-1	1300	36	0.452	0.093	0.451	0.004	0.946	0.291	0.045	0.534	0.946	-7.3	1.3		
AJE326-3/1	1300	36	0.542	0.027	0.425	0.006	0.946	0.114	0.006	0.553	0.946	-9.1	-0.5		
BF18-1	1300	36	0.448	0.048	0.497	0.007	0.972	0.162	0.015	0.601	0.972	-8.3	0.2		
JJG2315-1	1300	36	0.324	0.055	0.613	0.008	0.898	0.153	0.019	0.675	0.898	-8.5	0.1		
JJG2316-1	1300	36	0.252	0.066	0.673	0.009	0.893	0.164	0.024	0.702	0.893	-8.4	0.2		
JJG2316-4/1	1300	36	0.396	0.080	0.516	0.009	0.893	0.237	0.035	0.590	0.893	-7.8	0.8		
JJG2328	1300	36	0.322	0.050	0.622	0.006	0.961	0.139	0.016	0.687	0.961	-8.6	0.0		
AJE214 <sup>f</sup>	1300	36	0.353	0.075	0.566	0.006	0.960	0.210	0.031	0.629	0.960	$\leq -7.8$	0.8		
AJE281 <sup>f</sup>	1300	36	0.339	0.075	0.580	0.007	0.960	0.205	0.031	0.638	0.960	$\leq -7.9$	0.7		
AJE294 <sup>f</sup>	1300	36	0.300	0.056	0.633	0.011	0.960	0.150	0.018	0.686	0.960	$\leq -8.4$	0.1		
AJE31 <sup>f</sup>	1300	36	0.387	0.075	0.530	0.007	0.960	0.221	0.032	0.604	0.960	$\leq -7.8$	0.8		
AJE333 <sup>f</sup>	1300	36	0.399	0.064	0.529	0.007	0.960	0.195	0.025	0.612	0.960	$\leq -8.0$	0.6		
AJE66 <sup>f</sup>	1300	36	0.303	0.080	0.607	0.010	0.960	0.208	0.033	0.650	0.960	$\leq -7.8$	0.7		
FW12 <sup>f</sup>	1300	36	0.459	0.037	0.498	0.006	0.960	0.131	0.010	0.610	0.960	$\leq -8.8$	-0.2		
FW26A <sup>f</sup>	1300	36	0.486	0.029	0.479	0.005	0.960	0.109	0.007	0.601	0.960	$\leq -9.1$	-0.5		
JJG2319 <sup>f</sup>	1300	36	0.381	0.075	0.535	0.009	0.960	0.219	0.031	0.607	0.960	$\leq -7.8$	0.8		
JJG2331 <sup>f</sup>	1300	36	0.308	0.050	0.630	0.012	0.960	0.137	0.015	0.689	0.960	$\leq -8.6$	0.0		
JJG2332 <sup>f</sup>	1300	36	0.302	0.061	0.624	0.013	0.960	0.165	0.022	0.675	0.960	$\leq -8.3$	0.3		
<i>Other</i>															
JP1-X17 (MORID vein)	1300	36	0.480	0.062	0.454	0.004	0.952	0.215	0.024	0.556	0.952	$-7.9 \pm 0.7$	0.7	-8.0	
JP1-X17 (herzolite host)	1300	36												7.9	
BD2394 (Rut–Ilm–Sp vein)	1500	50	0.539	0.042	0.415	0.004	0.908	0.167	0.008	0.534	0.908	-6.0	-0.2	-5.9	
PHN2793/8B (eclogite)	1300	36	0.504	0.049	0.442	0.005	0.962	0.182	0.017	0.553	0.962	-8.2	0.4		
A-306 (eclogite)	1300	36	0.396	0.040	0.561	0.003	0.970	0.125	0.011	0.657	0.970	-8.8	-0.2		
BD2997A	1300	36	0.494	0.040	0.462	0.004	0.910	0.146	0.011	0.578	0.910	-8.7	-0.1		
(Granny Smith diopside)															

<sup>a</sup> *P* and *T* estimated from the host assemblage of JP1-X17 are used for samples except for BD2394 [54], which is from a diamond mine and the minimum pressure for diamond to be stable at 1500 K [55] is used. The pressure effect is negligible when *log fO*<sub>2</sub> is expressed relative to NNO.

<sup>b</sup> This study, Ghiorso's solution model and Ghiorso modified Berman thermodynamic data used [42,44]. Uncertainty is given for the MORID vein only because the other data are from literature without specified uncertainties.

<sup>c</sup> NNO from [8].

<sup>d</sup> Thermodynamic data from [42,44], solution models from [42,53].

<sup>e</sup> Using [7].

<sup>f</sup> X(TiO<sub>2</sub>) assumed to be 0.96. Sample sources: MARID samples from [16], table 12.1, except for 1158, which is from [13] (ilmenite is the average of 1 and 2 in table 5, rutile has 2–5 wt% Nb<sub>2</sub>O<sub>5</sub>). AJE214 and 288 are MARI (missing Cpx). JP1-X17 from [19]. BD2394 from [54], coexisting ilmenite, rutile and chromite in the vein in polymict xenolith, from the Bultfontein diamond mine. PHN2793/8B from [56]. A-306 from [57], ilmenite in rutile. BD2997A from [58], rutile and ilmenite intergrowth inside Granny Smith diopside megacryst.

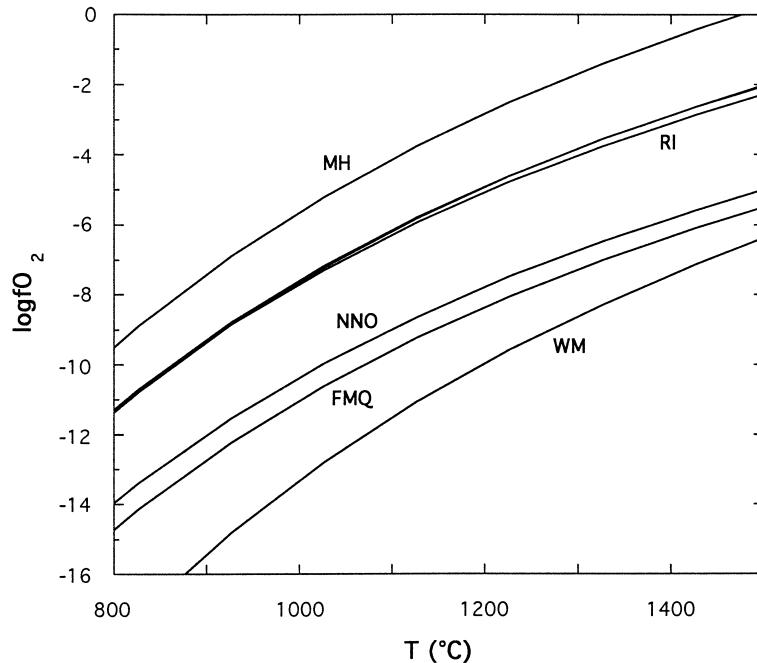


Fig. 1.  $\log f\text{O}_2$  vs.  $T$  for several oxygen buffer reactions at 1 bar.  $MH$  = magnetite–hematite;  $RI$  = rutile–ilmenite;  $NNO$  = Ni–NiO;  $FMQ$  = quartz–fayalite–magnetite;  $WM$  = wüstite( $\text{Fe}_{0.947}\text{O}$ )–magnetite. The  $RI$  buffer curves are calculated using data from [44–46] for comparison. The thick curve of  $RI$  is from [45] and [46]; the thin curve immediately below is from [44] with modification from Ghiorso [42]. Other buffer curves are calculated using data from [46] only.

the model of Ghiorso [42], and (ii) using  $\Delta G_T^P$  for reaction (1) from the thermodynamic data of Robie et al. [48] (use of this data base is necessary to maintain self-consistency), volume data of Berman [44], and the mixing model of Andersen et al. [43]. For ilmenite containing  $X(\text{MgTiO}_3)$  of 0.4–0.5 and  $X(\text{Fe}_2\text{O}_3)$  of 0.05–0.1, the difference between the calculated  $\log f\text{O}_2$  from the two mixing models is  $<1.0$  log unit. Another  $T$ – $X$  region where the two models agree within 1 log unit is at  $\sim 900$  K and with  $X(\text{FeTiO}_3)$  of 0.3 to 0.8. However, outside the  $T$ – $X$  regions, the  $\log f\text{O}_2$  differences between the two models become larger, e.g., up to 5 log units for ilmenite with  $X(\text{FeTiO}_3) = 0.01$ ,  $X(\text{MgTiO}_3) = 0.60$  and  $X(\text{Fe}_2\text{O}_3) = 0.39$  at  $627^\circ\text{C}$  and 5 kbar, with the model of Andersen et al. [43] usually giving more oxidizing results. When the  $RI$  oxygen barometer is applied to Grambling's ilmenite–rutile–hematite assemblage at  $500^\circ\text{C}$  and 4 kbar [40], the model of Ghiorso [42] yields  $\log f\text{O}_2$  of  $-19.1$  and  $-19.9$  for the hematite solid solution–rutile pair and for the ilmenite solid solution–rutile pair, respectively. These

two values are close to each other and also close to an independent estimate ( $\log f\text{O}_2$  of  $-20$ ) from hematite–ilmenite [41]. In contrast, the model of Anderson et al. [43] results in  $\log f\text{O}_2$  of  $-20.9$  for the hematite solid solution–rutile pair and  $-18.1$  for the ilmenite solid solution–rutile pair. The mixing model from Ghiorso [42] is provisionally adopted in this paper. However, because of the discrepancies between the two solution models for ilmenite, caution should be exercised if the  $RI$  oxygen barometer is applied to crustal assemblages. For the applications discussed below in this paper (Table 1), the composition of ilmenite is such that the two mixing models give  $f\text{O}_2$  within 1 log unit.

A second source of uncertainty associated with the  $RI$  oxygen barometer arises from calculating  $X(\text{Fe}_2\text{O}_3)$  from electron microprobe analyses (EMPA) of ilmenite by stoichiometry and charge balance. We evaluated both the precision and accuracy as follows.

(1) The precision is obtained from repeated microprobe analysis of ilmenite in a sample. For ex-

ample, the average composition of 11 analyses of an ilmenite grain in the MORID vein (JP1-X17) in wt% is  $\text{SiO}_2$   $0.03 \pm 0.03$  ( $2\sigma$  uncertainty hereafter),  $\text{TiO}_2$   $55.51 \pm 1.11$ ,  $\text{Al}_2\text{O}_3$   $0.29 \pm 0.40$ ,  $\text{Cr}_2\text{O}_3$   $0.69 \pm 0.35$ ,  $\text{V}_2\text{O}_3$   $0.13 \pm 0.09$  (corrected for Ti interference [49]),  $\text{TFeO}$   $27.97 \pm 1.82$ ,  $\text{MnO}$   $0.26 \pm 0.05$ ,  $\text{MgO}$   $14.45 \pm 0.68$ ,  $\text{ZnO}$   $0.02 \pm 0.08$ . Because  $\text{FeO}$  and  $\text{MgO}$  co-vary negatively, only part of the compositional variations is due to counting error and the other part is due to real heterogeneity of the sample. Calculated  $X(\text{Fe}_2\text{O}_3)$  and  $\log f\text{O}_2$  for the 11 analyses are  $0.04 \pm 0.02$  ( $2\sigma$  uncertainty hereafter) and  $-8.8 \pm 0.7$  (at 1300 K and 36 kbar), respectively. The  $2\sigma$  uncertainties on the mean of calculated  $X(\text{Fe}_2\text{O}_3)$  and  $\log f\text{O}_2$  are 0.006 and 0.2. As the  $X(\text{Fe}_2\text{O}_3)$  in ilmenite increases or decreases, the relative uncertainty in  $X(\text{Fe}_2\text{O}_3)$  and hence in calculated  $\log f\text{O}_2$  decreases or increases if the absolute error in  $X(\text{Fe}_2\text{O}_3)$  stays the same.

(2) Another critical issue for calculated  $X(\text{Fe}_2\text{O}_3)$  from EMPA is its accuracy (e.g., [8,10,50]). That has been assessed by comparing results from EMPA with those from Mössbauer measurements. Virgo et al. [10] compared EMPA and Mössbauer results and concluded that apparently precise EMPA results are not necessarily an indication of a high level of accuracy. The EMPA correction procedures and the choice of different standards may affect the calculated  $\text{Fe}^{3+}/(\text{Fe}^{3+} + \text{Fe}^{2+})$  ratios [10]. To increase accuracy in calculating  $X(\text{Fe}_2\text{O}_3)$ , an EMP procedure must analyze all major elements accurately (high precision is not enough) and must also include all minor elements. Hence, the accuracy of the calculated  $X(\text{Fe}_2\text{O}_3)$  is expected to depend on accuracy and homogeneity of standards, whether necessary minor elements are analyzed, and experience of the operator. Some ilmenite samples, for which Mössbauer measurements of  $\text{Fe}^{3+}/(\text{Fe}^{3+} + \text{Fe}^{2+})$  were obtained by Virgo et al. [10], were analyzed on the University of Michigan electron microprobe using regular analytical procedure for magnesian ilmenite, which was designed before obtaining samples from Virgo. The standards used are  $\text{MgTiO}_3$  (synthetic) for Mg, ilmenite for Ti and Fe,  $\text{MgAl}_2\text{O}_4$  (synthetic) for Al,  $\text{V}_2\text{O}_5$  (synthetic) for V, clinopyroxene (PX69) for Si,  $\text{Ca}_3\text{Cr}_2\text{Si}_3\text{O}_{12}$  (synthetic) for Cr, rhodonite (Broken Hill) for Mn, and  $\text{ZnS}$  (synthetic) for Zn. The ilmenites were analyzed at an accelerating volt-

age of 15 kV and a beam current of 10 nA. The  $\text{V}_2\text{O}_3$  content was corrected for  $\text{Ti K}_\beta$  interference by subtracting 0.0042 wt%  $\text{TiO}_2$  from the original value for  $\text{V}_2\text{O}_3$ . The coefficient 0.0042 was obtained by analyzing the synthetic  $\text{TiO}_2$  and  $\text{MgTiO}_3$  for apparent V. The calculated  $\text{Fe}^{3+}/(\text{Fe}^{3+} + \text{Fe}^{2+})$  ratios for these samples analyzed at the University of Michigan, as well as those analyzed at other institutes, are compared with Mössbauer determinations (Fig. 2). The agreement between our calculated  $\text{Fe}^{3+}/(\text{Fe}^{3+} + \text{Fe}^{2+})$  ratios (as well as those from microprobe analyses at Pennsylvania State University) and Mössbauer determinations is very good (Fig. 2). We conclude that our electron microprobe analyses of ilmenite are of high enough quality for accurate calculation of the  $\text{Fe}^{3+}/(\text{Fe}^{3+} + \text{Fe}^{2+})$  ratios.

The estimation of a minor ferric component from EMPA is a problem shared by all currently used oxygen barometers applied to mantle assemblages. For example, use of the oxygen barometers for olivine–orthopyroxene–spinel, olivine–orthopyroxene–ilmenite, and ilmenite–spinel requires estimation of minor  $\text{Fe}_3\text{O}_4$  in spinel,  $\text{Fe}_2\text{O}_3$  in ilmenite, or both. We have demonstrated above that at least for ilmenite, careful electron microprobe analyses yield  $\text{Fe}^{3+}/(\text{Fe}^{3+} + \text{Fe}^{2+})$  similar to those from Mössbauer analyses, albeit with larger relative errors (Fig. 2). Ballhaus et al. [8] have also argued that reservations on the calculation of  $\text{Fe}_3\text{O}_4$  component in spinel from microprobe analyses are unfounded (see also [51]).

Summarizing the above results, our assessment of the RI oxygen barometer is as follows.

(1) The standard state properties are well known for the purpose of oxygen barometry in mantle assemblages.

(2) Careful electron microprobe analyses can be used to obtain reliable  $X(\text{Fe}_2\text{O}_3)$ . Estimating  $X(\text{Fe}_2\text{O}_3)$  from EMPA of  $\text{Fe}_2\text{O}_3$ -poor ilmenite yields relatively large uncertainties in the oxygen barometer, but the uncertainty is reduced for ilmenite containing high  $\text{Fe}_2\text{O}_3$ .

(3) The main source of uncertainties is from the mixing models of ilmenite. Improvement of the model will be important to this oxygen barometer. At present, the barometer is best applied to assemblages with ilmenite which has  $X(\text{FeTiO}_3)$  close to or more than  $X(\text{MgTiO}_3)$ , or  $X(\text{Fe}_2\text{O}_3)$  around 0.1 or 0.7.

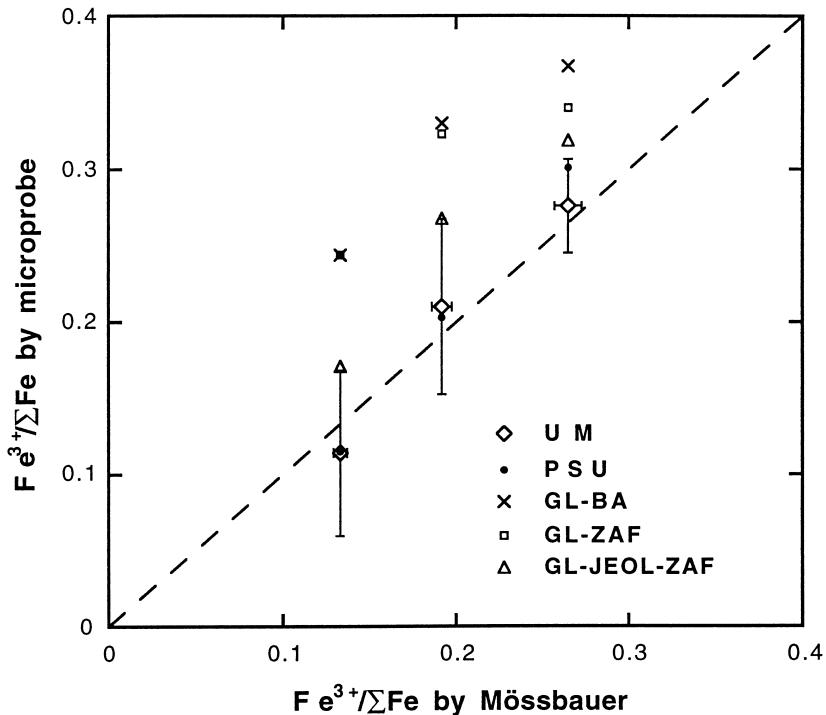


Fig. 2. Comparison of calculated  $\text{Fe}^{3+}/(\text{Fe}^{3+} + \text{Fe}^{2+})$  ratios using microprobe analyses from various laboratories (vertical axis) with the Mössbauer measurements of Virgo et al. [10]. Three samples (ULM 2, Yakutia-Dalnaya No. 1 D-46/79, and ROM 264 IL-41) used in the comparison were provided by D. Virgo. Legend: U M = University of Michigan, ZAF correction; P S U = Pennsylvania State University, Bence-Albee correction; GL-BA = Geophysical Lab, Bence-Albee correction; GL-ZAF = Geophysical Lab, ZAF correction; GL-JEOL-ZAF = Geophysical Lab, JEOL-SEM, ZAF correction. Results of UM microprobe analyses are from this work. Results of other microprobe analyses are from Virgo et al. [10]. The solid line is a 1:1 line. Shown are also  $2\sigma$  error bars for Mössbauer analyses (3% relative, D. Virgo, pers. commun.) and for repeated microprobe analyses at the University of Michigan.

With the above precautions, the RI oxygen barometer provides a method to characterize redox state of assemblages containing both rutile and ilmenite.

#### 4. Comparison with other oxygen barometers

Comparisons with other oxygen barometers confirm that the RI oxygen barometer for the  $P-T-X$  under consideration is accurate to less than 1 log  $f\text{O}_2$  unit. The MORID vein in sample JP1-X17 [19] contains rutile, ilmenite, and spinel. The log  $f\text{O}_2$  calculated from the RI barometer ( $-7.9$ ) agrees well with that calculated from the spinel-ilmenite oxygen barometer ( $-8.0$ ) (Table 1). The log  $f\text{O}_2$  of the host lherzolite (JP1-X17) calculated using olivine-orthopyroxene-spinel oxygen barometer ( $-7.9$ ) is similar to that in the MORID vein.

A vein in a polymict xenolith (BD2394) from the Bultfontein diamond mine, South Africa contains coexisting ilmenite, chromite and rutile [54]. At 50 kbar, the minimum pressure for diamond to be stable at 1500 K [55], the  $f\text{O}_2$  calculated from RI ( $-6.0$ ) is in excellent agreement with that from spinel-ilmenite ( $-5.9$ ) (Table 1).

#### 5. Applications

The RI oxygen barometer may be applied to coexisting rutile-ilmenite in MORID vein [19], MARID suites [13,16], eclogitic xenoliths from kimberlite [56,57] and an assemblage from a ‘Granny Smith’ diopside megacryst [58] (Table 1; Fig. 3). For the MORID vein,  $T$  and  $P$  are estimated to be 1300 K and 36 kbar from two-pyroxene thermometry

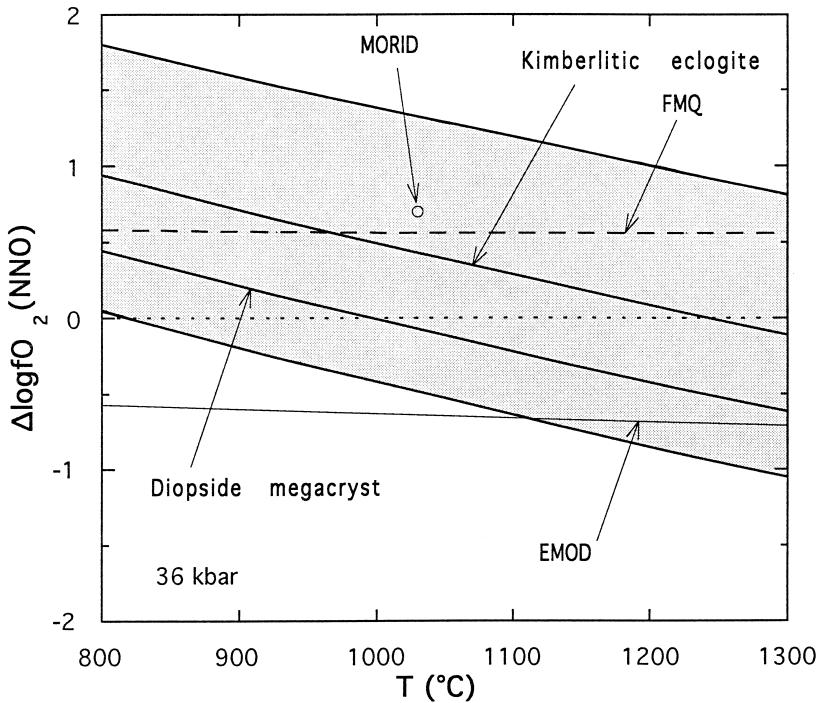


Fig. 3.  $\log f\text{O}_2$  (normalized to NNO) vs.  $T$  obtained from the RI oxygen barometer for different rutile–ilmenite assemblages. Only for MORID vein [19] can a unique value of  $f\text{O}_2$  be obtained (circle). The range of  $f\text{O}_2$  (shaded area) obtained from MARID assemblages in the literature [13,16] is approximately 1 log unit below to 2 log units above NNO. Ilmenite–rutile from a kimberlitic eclogite [56] and ilmenite–rutile in a ‘Granny Smith’ diopside megacryst [58] show similar  $f\text{O}_2$  to MARID suites. For comparative purposes, 36 kbar, which is estimated from the host assemblage (JP1-X17) of MORID, was used for all samples in the diagram when calculating  $f\text{O}_2$ . The assumption of 36 kbar for MARID assemblages is consistent with experiments [14,15,52]. Use of a  $\Delta \log f\text{O}_2$  minimizes any variation with pressure. NNO is from [8]. FMQ and EMOD are calculated from thermodynamic data [45].

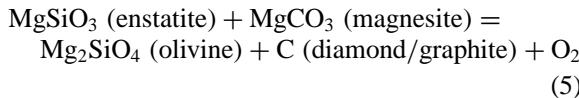
[59] and orthopyroxene–garnet barometry [59] in the host lherzolite. For MARID suites and other rutile–ilmenite assemblages, no  $T$ – $P$  estimates are available. Since the pressure effect on the RI buffer is similar to that on NNO buffer,  $\log f\text{O}_2$  relative to NNO is roughly independent of pressure and an arbitrary pressure of 36 kbar is chosen for MARID suites. The uncertainty in  $T$  introduces considerable uncertainty in  $\log f\text{O}_2$  (Fig. 3). In order to constrain the  $f\text{O}_2$ , it is necessary in future work to constrain the equilibrium  $T$  for the rutile–ilmenite equilibrium. Without such constraints, we simply use an arbitrary lower temperature limit of 800°C and an upper temperature limit of 1300°C (the solidus of MARID without excess  $\text{H}_2\text{O}$  is 1260°C at 30 kbar [52]).

The  $f\text{O}_2$  inferred from MORID vein is slightly more oxidizing than the FMQ buffer ( $\Delta \log f\text{O}_2$

(FMQ) = 0.17), more oxidizing than unmetasomatized peridotite xenoliths, and comparable to  $f\text{O}_2$  of metasomatized spinel peridotites [8,11]. The  $f\text{O}_2$  inferred from MARID suites covers two log units at any given  $T$  and covers that of MORID, kimberlitic eclogite, and a ‘Granny Smith’ diopside megacryst. Although the large uncertainty in  $T$  for MARID assemblages does not allow simple comparisons to be made, the  $\log f\text{O}_2$  values of MARID suites (Fig. 3) are generally consistent with metasomatized peridotites [8,11]. Even with allowance of large temperature uncertainty, 17 out of 20 MARID samples have  $f\text{O}_2$  more oxidizing than EMOD (Fig. 3; Table 1). Hence our data on MORID vein and MARID suites support the conclusion that metasomatizing agents are typically more oxidizing than unmetasomatized mantle [8,11].

The oxygen fugacity of the upper mantle strongly

influences the stability of diamond/graphite, fluids and carbonates. Under reducing conditions, diamond or graphite is stable, while under oxidizing conditions  $\text{CO}_2$  or carbonates are stable. The  $f\text{O}_2$  for diamond in olivine-bearing assemblages must be less than that defined by the enstatite–magnesite–olivine–diamond/graphite (EMOD/EMOG) equilibrium [60]:



The shift of the above oxygen buffer owing to solid solutions in the minerals is very small in ultramafic rocks. Experimental calibrations of the EMOD buffer published in two abstracts [60,61] show differences of  $0.6 \log f\text{O}_2$  at 1400 K and 50 kbar. Calculation of EMOD from thermodynamic data [45,46,62] gives values between the two experimental calibrations. The EMOD buffer calculated from Holland and Powell [45] ( $\log f\text{O}_2 = 15.28 - 25775/T - 2.08767 \log T + 0.0026P + 62P/T$  where  $T$  is in K and  $P$  is in kbar) is selected to compare with the  $f\text{O}_2$  obtained from the RI oxygen barometer to evaluate the diamond potential of the Nikos kimberlites, Somerset Island, Northwest Territories, Canada. The MORID vein in the garnet–spinel lherzolite xenolith (JP1-X17) and most MARID assemblages (Fig. 3) yield a more oxidizing  $f\text{O}_2$  than EMOD; thus, the MORID and MARID fluid or melt would tend to destroy existing diamond or graphite by oxidation, and magnesite should be favored over carbon polymorphs in these olivine-bearing assemblages.

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