Consider a structural steel ( ASTM-A36 ) made cantilever shown in the following figure :

(1) Develop a finite element model by using 8 node hexagonal elements (HEXA element in MSC/NASTRAN ) with 5 elements in the longitudinal direction, 2 elements in the height and width directions of the cross section, that is, by the total equal size $5 \times 2 \times 2=20$ elements.

Material is a standard structural steel whose constants are given in the figure, and assume that the left end cross section is rigidly fixed, and forces P and F are applied at the other free end section.

It is noted that force F is applied at the top and bottom edges, but their directions are opposite each other so that they generate bending moment.

When a finite element model is developed, forces P and F are carried by the edges equally, that is, they would be distributed equally to every element edges.

Assume for this first problem, $\mathrm{P}=5 \mathrm{lb}$ and $\mathrm{F}=0 \mathrm{lb}$.
Verify your result with the elementary beam theory you have leaned in MEAM211 and 311.
(2) Using the finite element model in (1), find the value of F that provides the same maximum normal stress in the longitudinal direction with the case of $\mathrm{P}=5 \mathrm{lb}$. In this case, $\mathrm{P}=0 \mathrm{lb}$. Compare with the longitudinal stress distribution of this case with the one in (1).
(3) Find the maximum P or F we can apply to this cantilever, when the allowable stress is one third of the yield stress.

If you are interested in working more ( that means, you need not submit the result, but it can be a good exercise ),
(4) Develop a finite element model by using 4 node quadrilateral plate elements ( QUAD4 elements in MSC/NASTRAN ), and solve the first problem, and make comparison with the result by three-dimensional solid elements.
(6) Develop a finite element model by using 2 node beam elements ( CBAR elements in MSC/NASTRAN ), and solve the first problem.

