

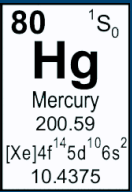
Precision Time Measurement and a Novel Two-Photon Clock Scheme

An E1-M1 Clock

E.A.ALDEN

Leanhardt Lab

Department of Physics, University of Michigan

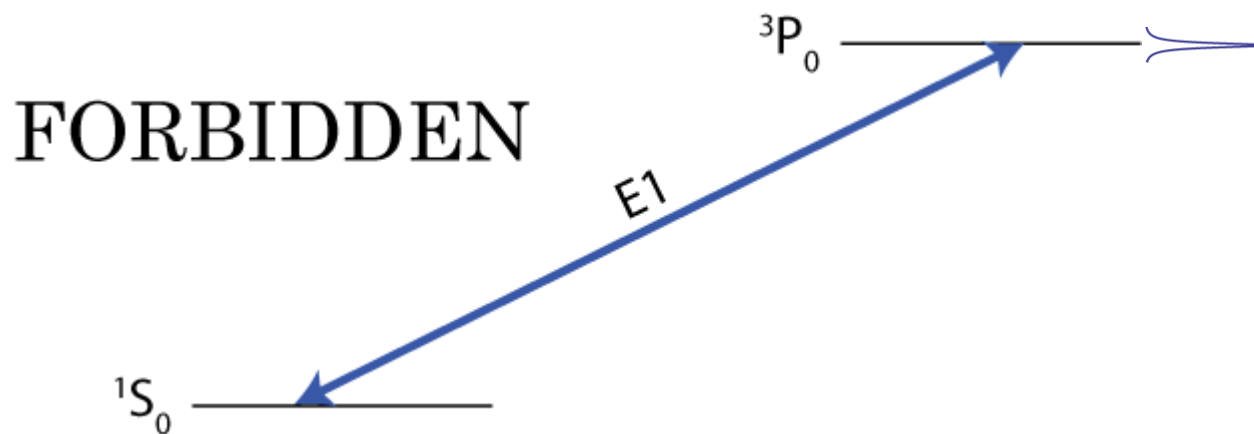


E1-M1 Clock

A Hot Hg Clock

Experimental Progress

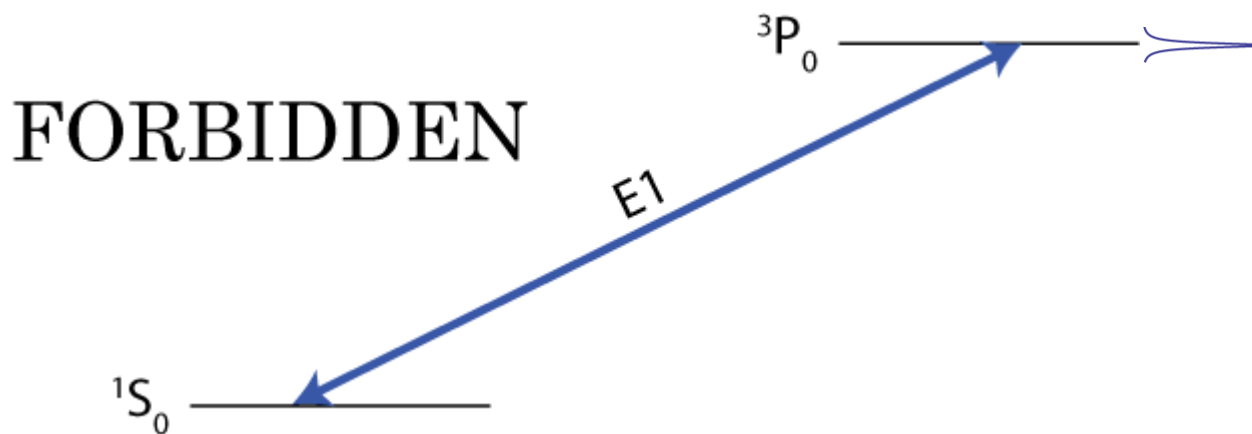
$$\sigma_\nu = \frac{\Delta\nu}{\nu} \sqrt{\frac{T}{\tau N}}$$



$\Delta\nu$ is the linewidth of the system
 ν is the frequency of the sampling probe
 T is the duty cycle of the experiment
 τ is the total experiment time
 N is the sample size per duty cycle

$$\sigma_\nu = \frac{\Delta\nu}{\nu} \sqrt{\frac{T}{\tau N}}$$

Clock Wisdom:
 If you can't relax, you can't get excited.
 You need to reduce the forbiddenness.



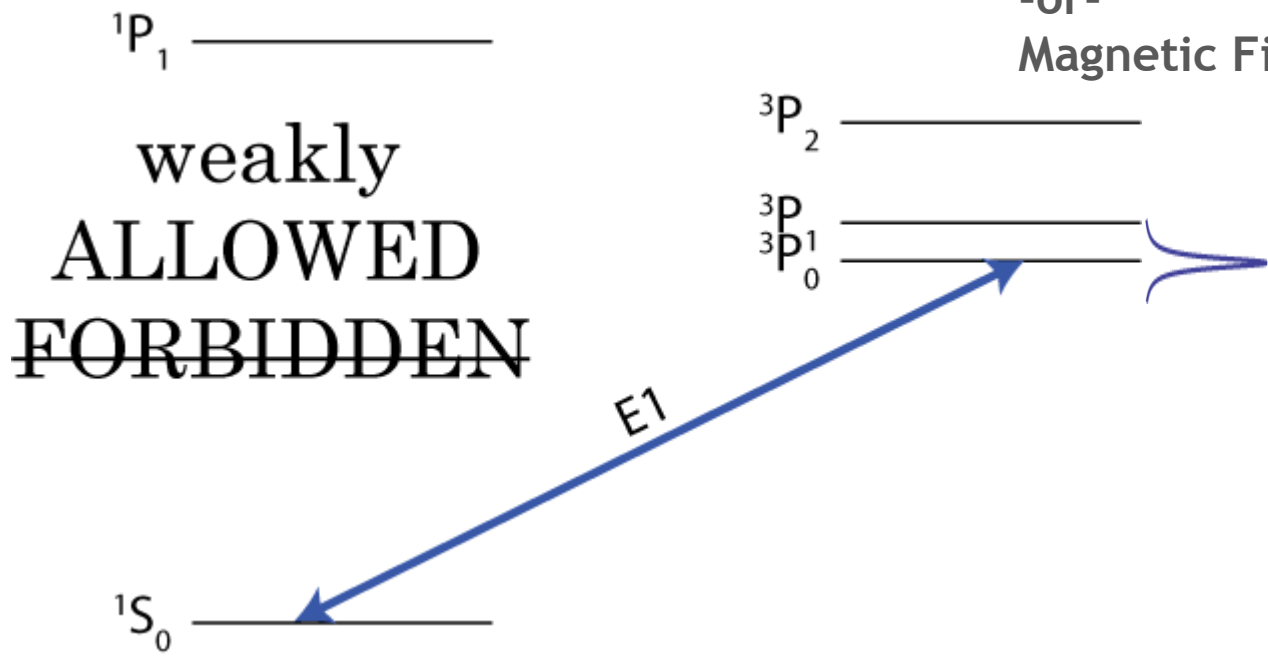
$\Delta\nu$ is the linewidth of the system
 ν is the frequency of the sampling probe
 T is the duty cycle of the experiment
 τ is the total experiment time
 N is the sample size per duty cycle



The Work-Around

| | |
|---|-----------------------------|
| 80 | ¹ S ₀ |
| Hg | |
| Mercury | |
| 200.59 | |
| [Xe]4f ¹⁴ 5d ¹⁰ 6s ² | |
| 10.4375 | |

Just Add:
•Levels
•Nuclear Spin
-or-
Magnetic Field

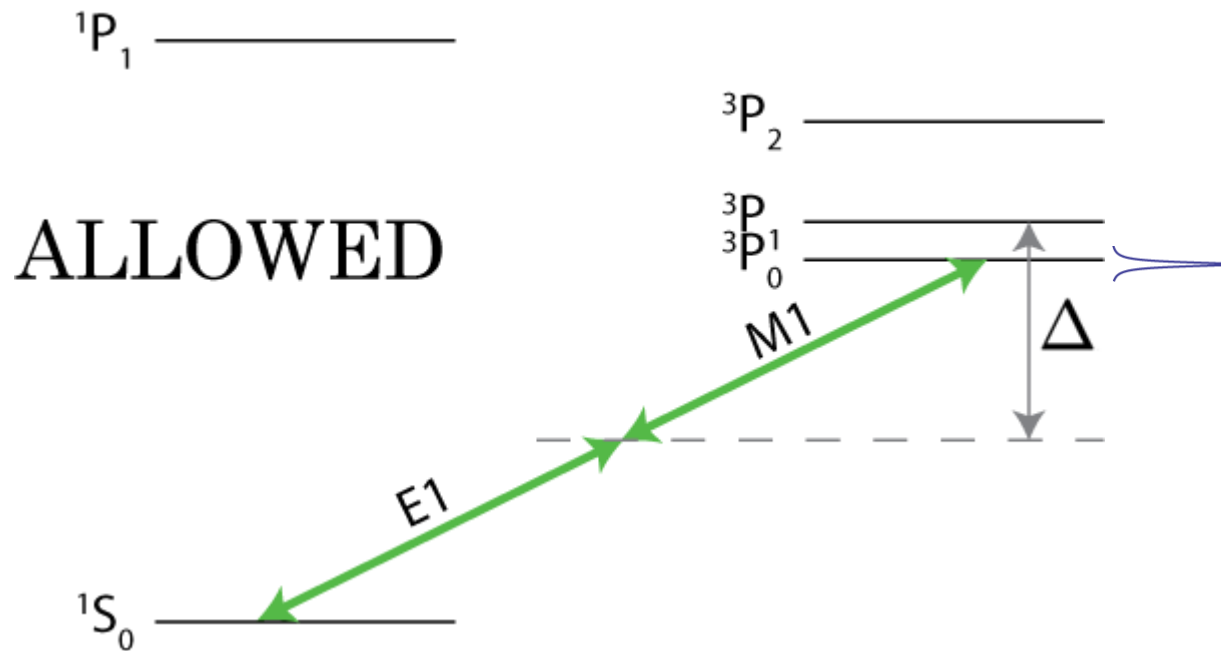




E1-M1 Clock Novel Excitation Scheme

| | |
|---|-----------------------------|
| 80 | ¹ S ₀ |
| Hg | |
| Mercury | |
| 200.59 | |
| [Xe]4f ¹⁴ 5d ¹⁰ 6s ² | |
| 10.4375 | |

$$\sigma_\nu = \frac{\Delta\nu}{\nu} \sqrt{\frac{T}{\tau N}}$$





E1-M1 Clock Two-Photon Rabi Frequency

| | |
|---|-----------------------------|
| 80 | ¹ S ₀ |
| Hg | |
| Mercury | |
| 200.59 | |
| [Xe]4f ¹⁴ 5d ¹⁰ 6s ² | |
| 10.4375 | |

$$\Omega_{2\gamma} = \frac{2I}{\hbar^2 c^2 \epsilon_0} \frac{\langle {}^3P_0 | \mu | {}^3P_1 \rangle_{M1} \langle {}^3P_1 | d | {}^1S_0 \rangle_{E1}}{\Delta} \approx 2I \cdot 10^{-5} \text{ [Hz]}$$

I is the excitation laser intensity

$\langle {}^3P_0 | \mu | {}^3P_1 \rangle_{M1}$ is the magnetic dipole matrix element

$\langle {}^3P_1 | d | {}^1S_0 \rangle_{E1}$ is the electric dipole matrix element

Δ is the detuning of an excitation photon's energy from the intermediate 3P_1 level

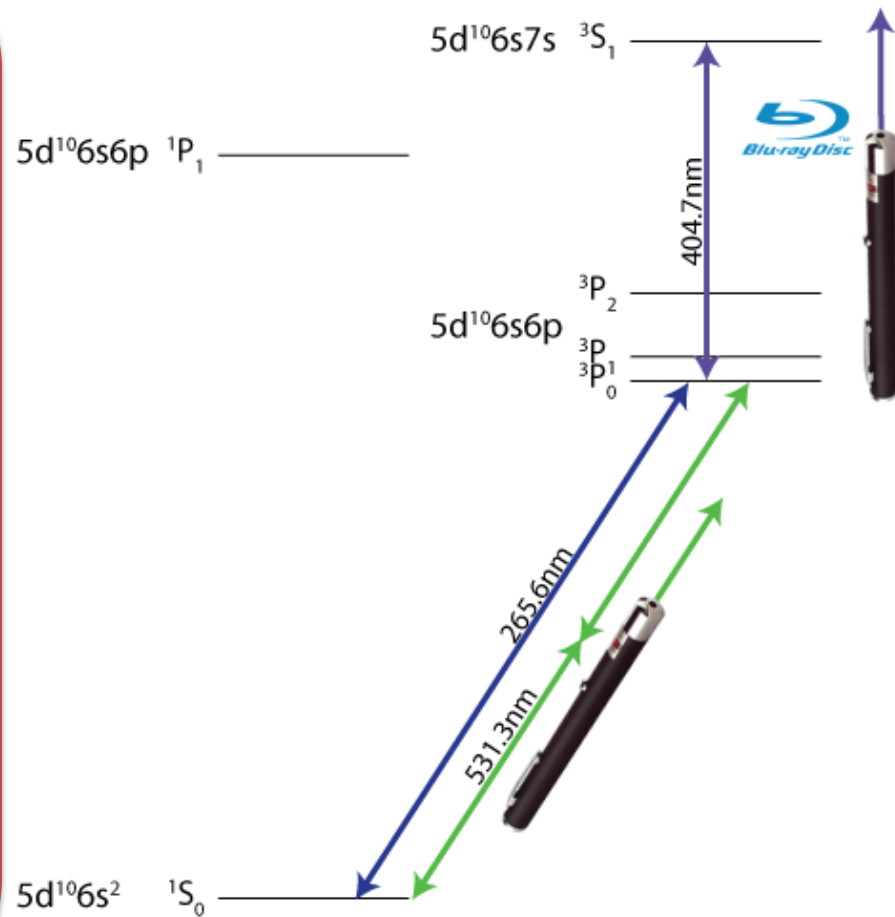
It is experimentally feasible to achieve $I > 10^{10} [\frac{W}{m^2}]$



Hot Hg Clock Frequency Standard Proposal

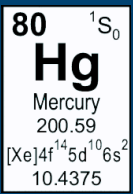
80 1S_0
Hg
Mercury
200.59
[Xe]4f¹⁴5d¹⁰6s²
10.4375

Hot Hg Clock

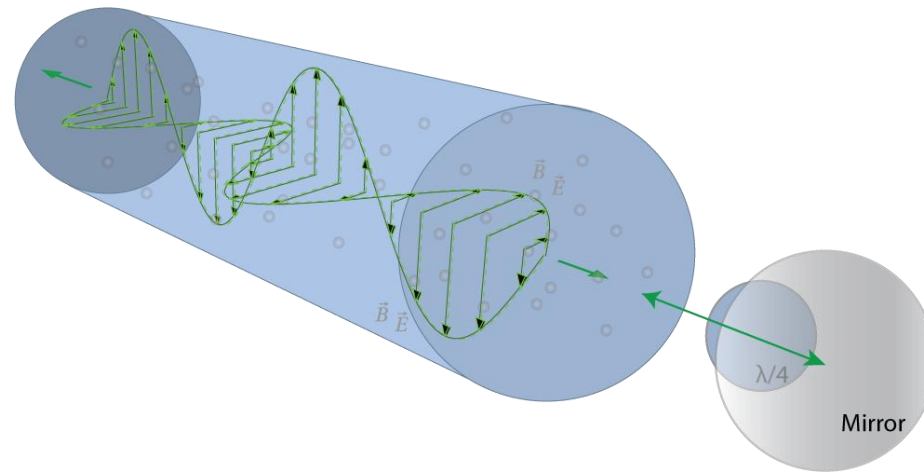




Hot Hg Clock Vapor Cell



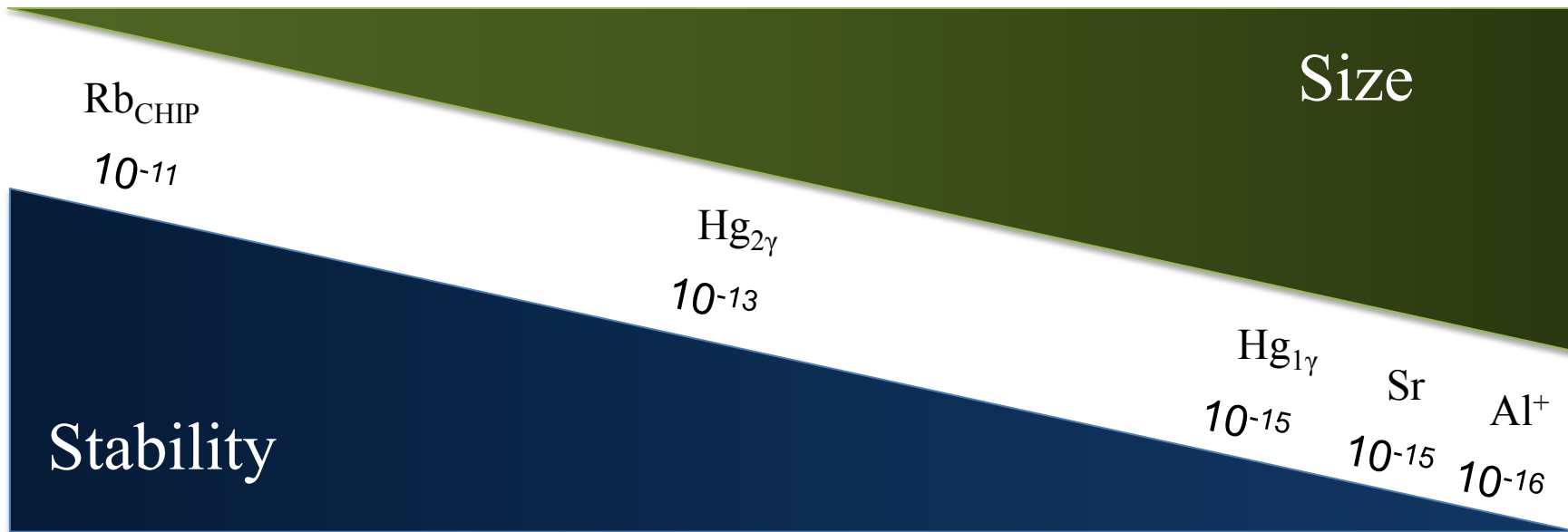
- 10^{13} Hg atoms/cm³ @ 293 K
- First-order Doppler Broadening





Clock Stability vs. Size

80 ¹S₀
Hg
 Mercury
 200.59
 [Xe]4f¹⁴5d¹⁰6s²
 10.4375



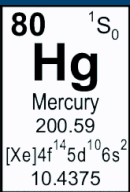
Rb_{CHIP}
 Hg_{1γ}
 Sr
 Al⁺

Knappe et al OL 2005
 McFerran et al IEEE 2012
 Ludlow et al Science 2008
 Chou et al PRL 2011



Hot Hg Clock

Broadening Mechanisms



| Broadening Mechanism | Hot Clock $\delta\nu$ [Hz] |
|----------------------------|----------------------------|
| Blackbody Radiation | 0.2 ^[1] |
| Natural | 1 ^[2] |
| Stark Shift Clock | 56 ^[3] |
| Doppler (2nd-order) | 41 |
| Doppler (1st-order) | 306 |
| Collision _{vapor} | 3900 |
| Collision _{wall} | 710 |
| Total | 4600 |

Vapor Cell @ 250° K

531nm beam:

D = 2mm

P = 10 W

Stability $\sigma_\nu \left[\frac{1}{\sqrt{\tau}} \right]$

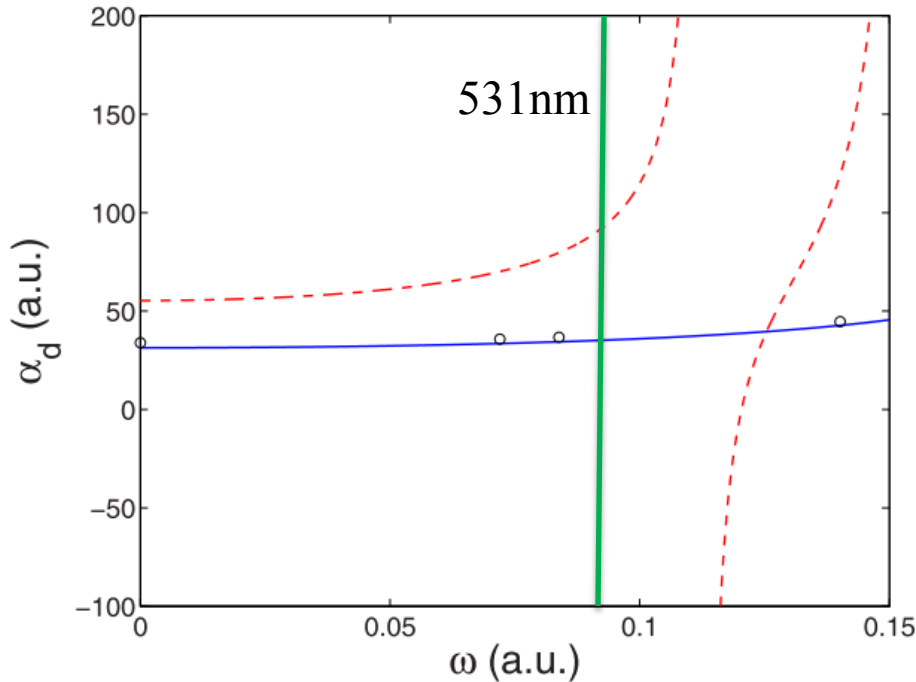
3.3×10^{-13}

- [1] Hachisu, PRL 2008
- [2] Mishra, Spectroscopy 2008
- [3] Ye, Wang, PRA 2008



Hot Hg Clock AC Stark Shift

| | |
|---|-----------------------------|
| 80 | ¹ S ₀ |
| Hg | |
| Mercury | |
| 200.59 | |
| [Xe]4f ¹⁴ 5d ¹⁰ 6s ² | |
| 10.4375 | |



$$\Delta\nu_{STARK} = 5.5\text{kHz}$$

$$\sigma = 56 \text{ Hz} / 100\text{mW}$$

Experimental Challenge:
Precise Power Metrology

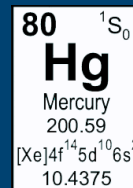
PHYSICAL REVIEW A **78**, 014502 (2008)
Anpei Ye (叶安培) and Guangfu Wang (王广福)*

Special Thanks to Guangfu Wang for furnishing the exact values at 531nm



Hot Hg Clock

First-Order Doppler Broadening



| Broadening Mechanism | Hot Clock $\delta\nu$ [Hz] |
|----------------------------|----------------------------|
| Blackbody Radiation | 0.2 ^[1] |
| Natural | 1 ^[2] |
| Stark Shift Clock | 56 ^[3] |
| Doppler (2nd-order) | 41 |
| Doppler (1st-order) | 306 |
| Collision _{vapor} | 3900 |
| Collision _{wall} | 710 |
| Total | 4600 |

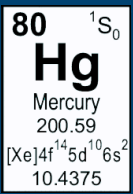
1 μ Radian

Experimental Challenge:
Precise Retro-Alignment

Stability $\sigma_\nu \left[\frac{1}{\sqrt{\tau}} \right]$ 3.3×10^{-13}



Hot Hg Clock Collision Broadening



| Broadening Mechanism | Hot Clock $\delta\nu$ [Hz] |
|----------------------------|----------------------------|
| Blackbody Radiation | 0.2 ^[1] |
| Natural | 1 ^[2] |
| Stark Shift Clock | 56 ^[3] |
| Doppler (2nd-order) | 41 |
| Doppler (1st order) | 306 |
| Collision _{vapor} | 3900 |
| Collision _{wall} | 710 |
| Total | 4600 |

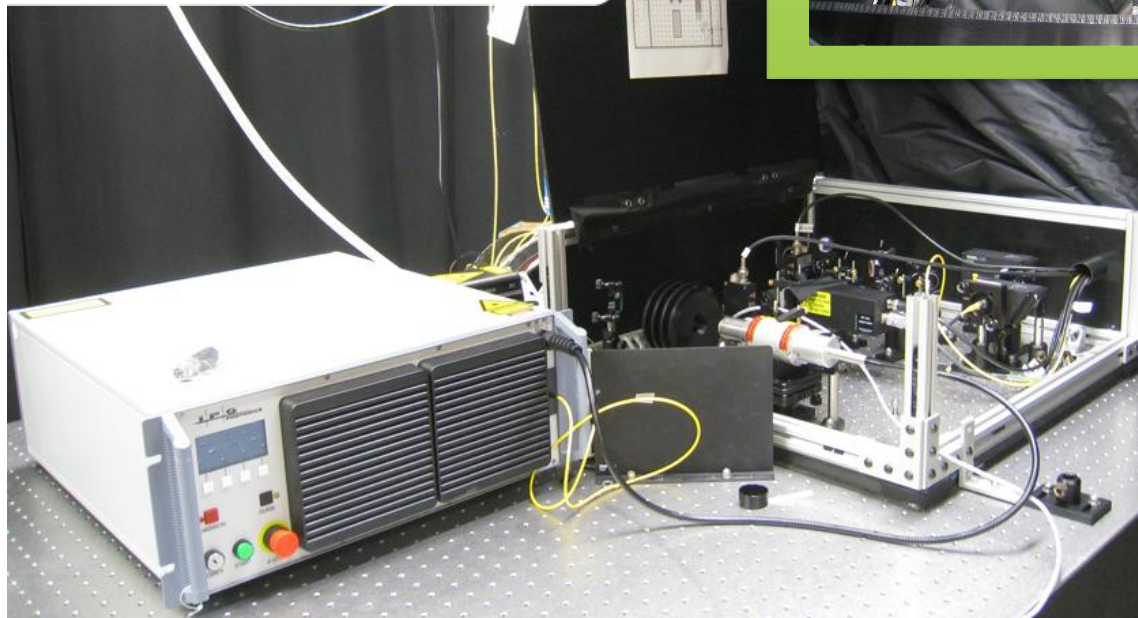
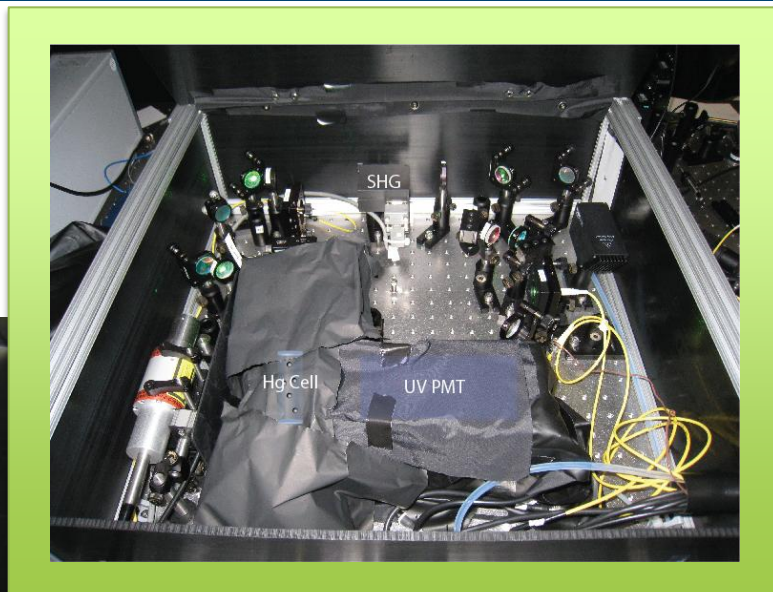
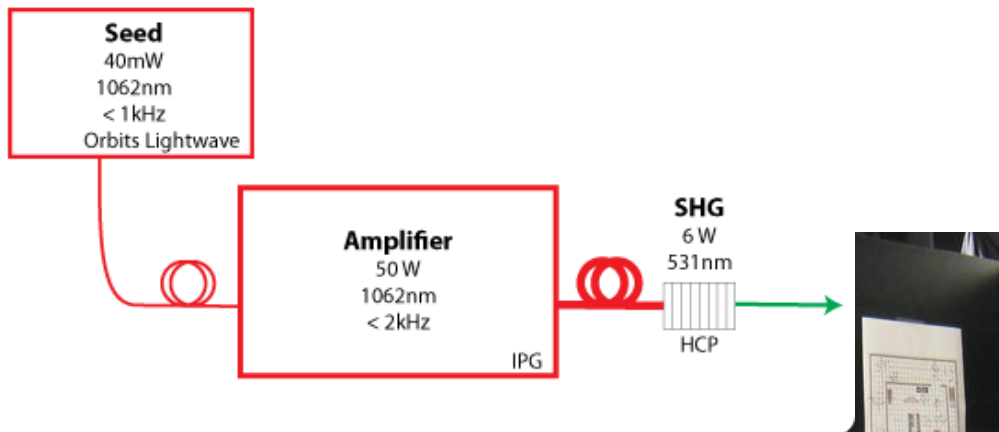
Experimental Challenge:
Measure & Characterize
Collision Broadening

$$\text{Stability } \sigma_\nu \left[\frac{1}{\sqrt{\tau}} \right] \quad 3.3 \times 10^{-13}$$



Experimental Progress Laser System

80 ¹S₀
Hg
Mercury
200.59
[Xe]4f¹⁴5d¹⁰6s²
10.4375

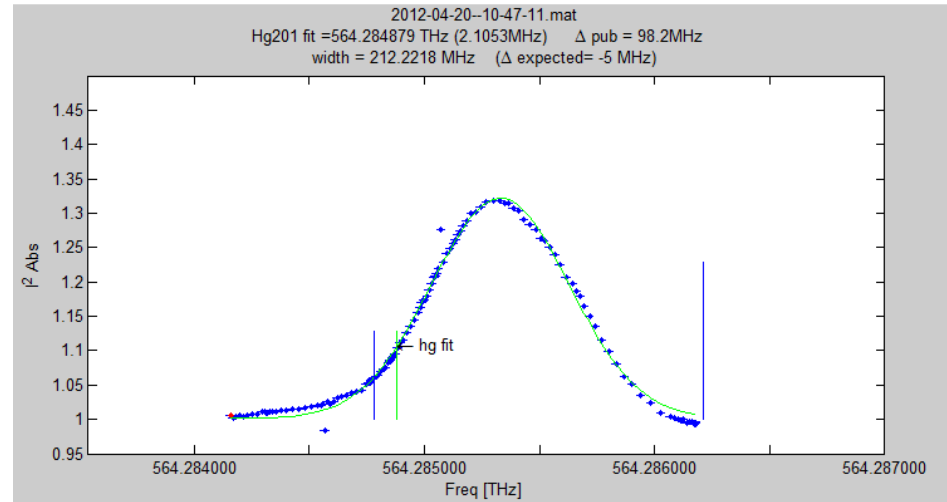
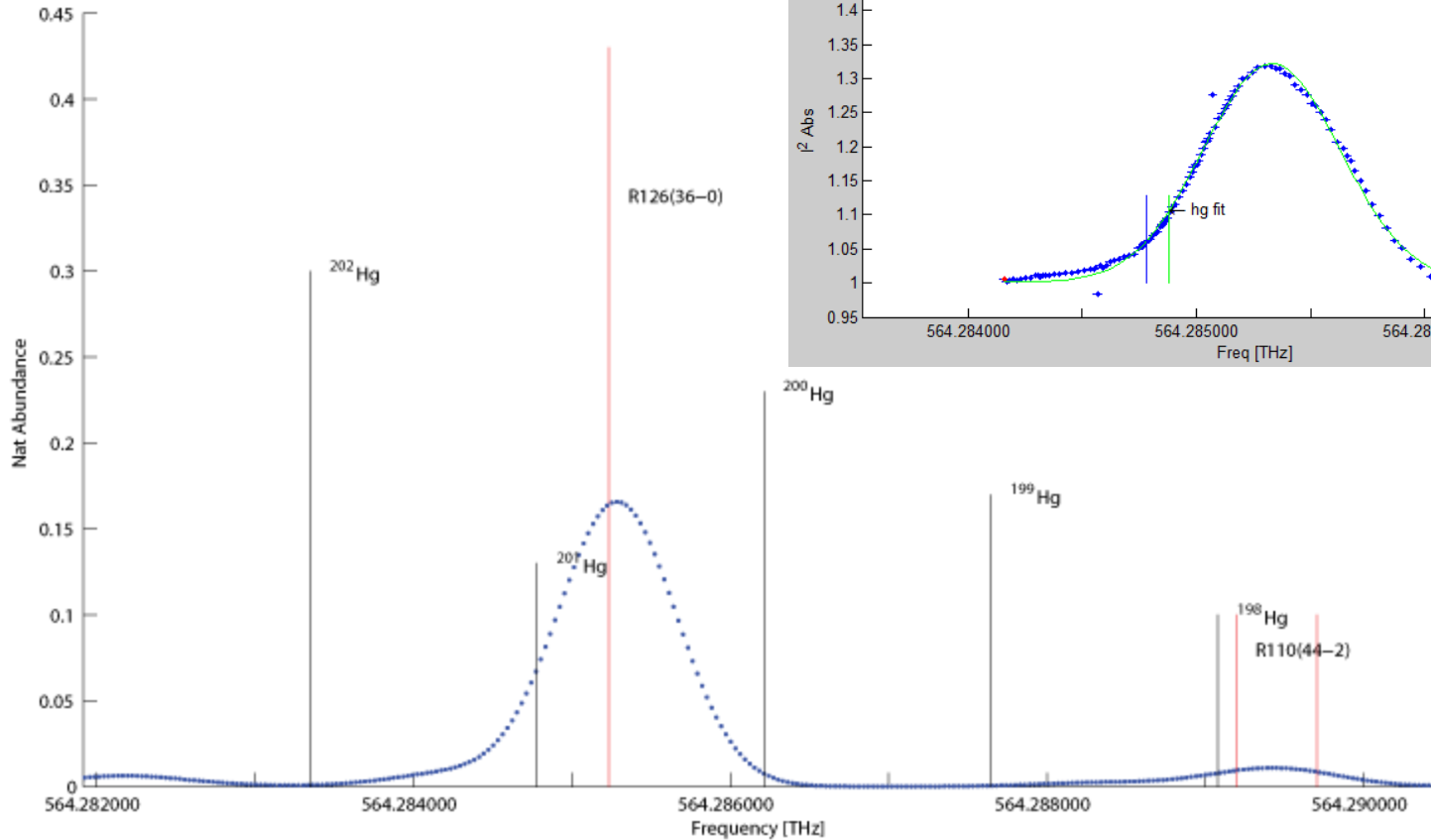




Experimental Progress

I² Reference

80 ¹S₀
Hg
Mercury
200.59
[Xe]4f¹⁴5d¹⁰6s²
10.4375



I² Gerstenkorn 1980
Hg Peterson PRL 2008

Novel Observation

Optimal Clock

E1-M1 Optical Access
to a Clock Level

Bosonic Spectroscopy of Clock Level

Collision
Effects

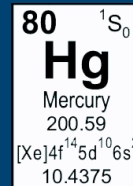
Stark
Shift



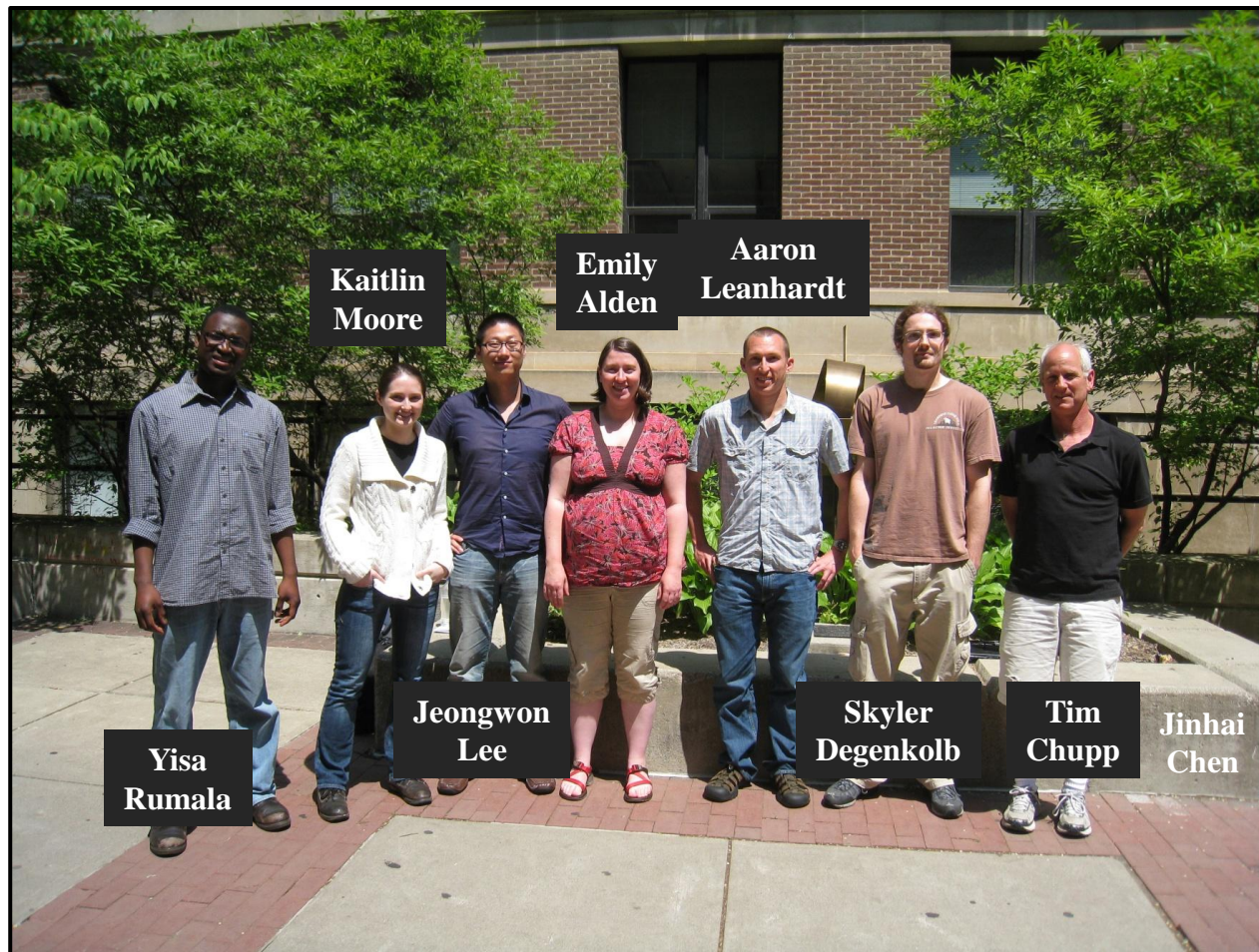
Atom Number
Temperature



Thank You



Leanhardt Lab



- Funding:
DARPA/ARO
AFOSR

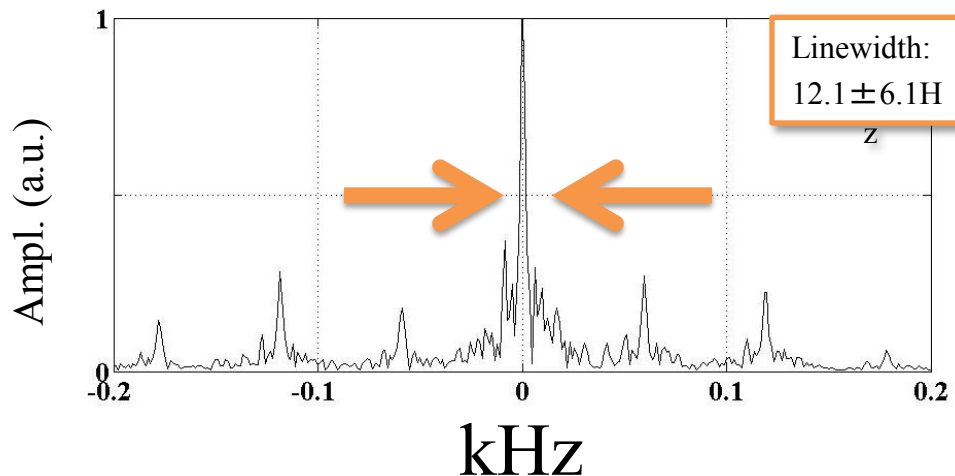
Slides available at: <http://www-personal.umich.edu/~ealden/>



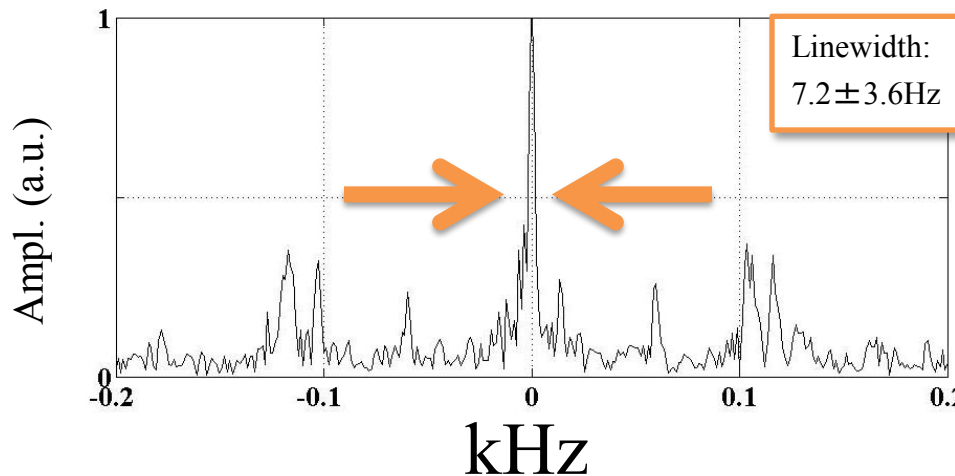
Fourier Limited Seed & Amplifier Homodyne

80 ¹S₀
Hg
Mercury
200.59
[Xe]4f¹⁴5d¹⁰6s²
10.4375

**Seed
with
Seed**



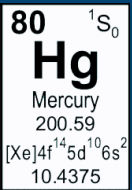
**Seed
with
Amplifier**



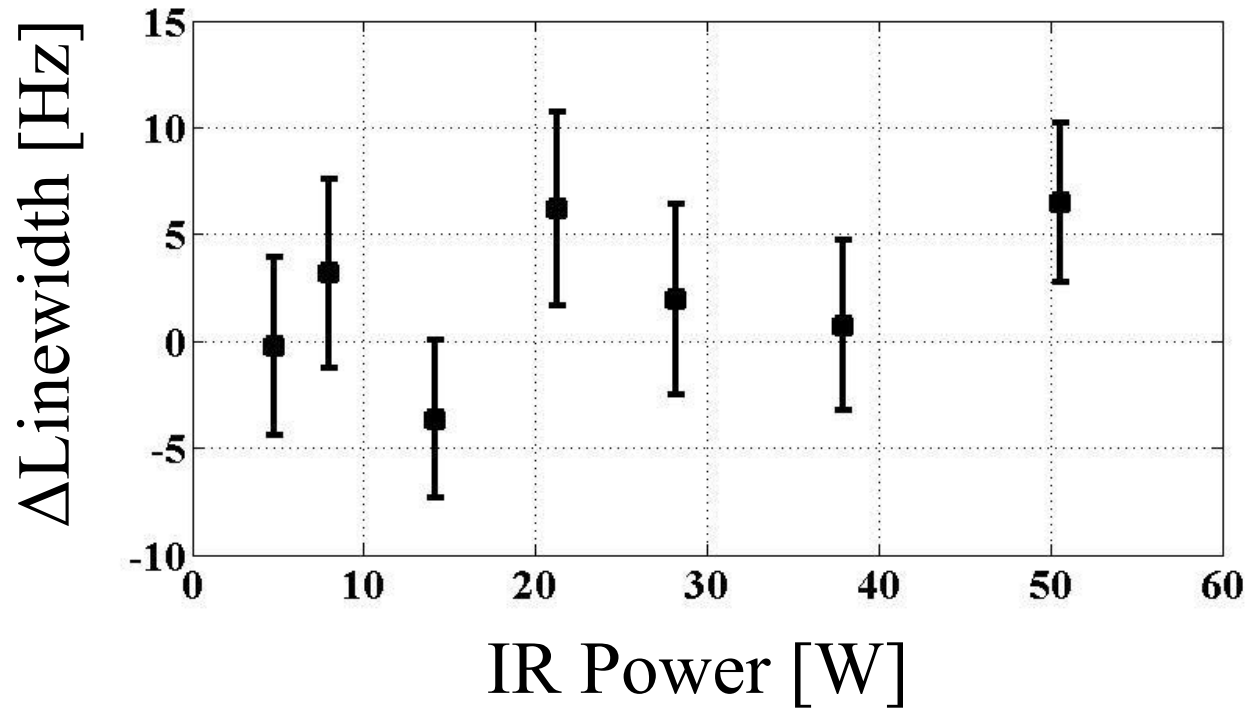
**1062 nm
14.2W**



Laser Characterization

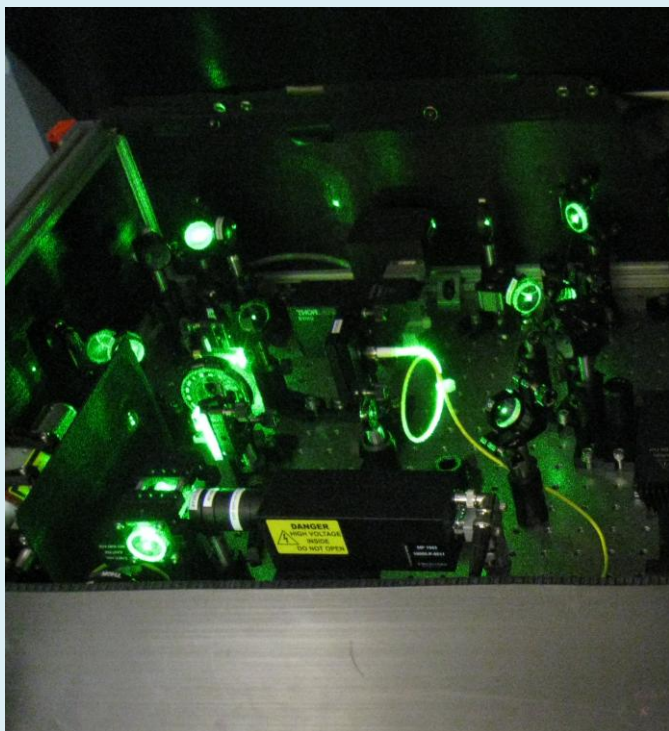


- Increasing amplifier power:

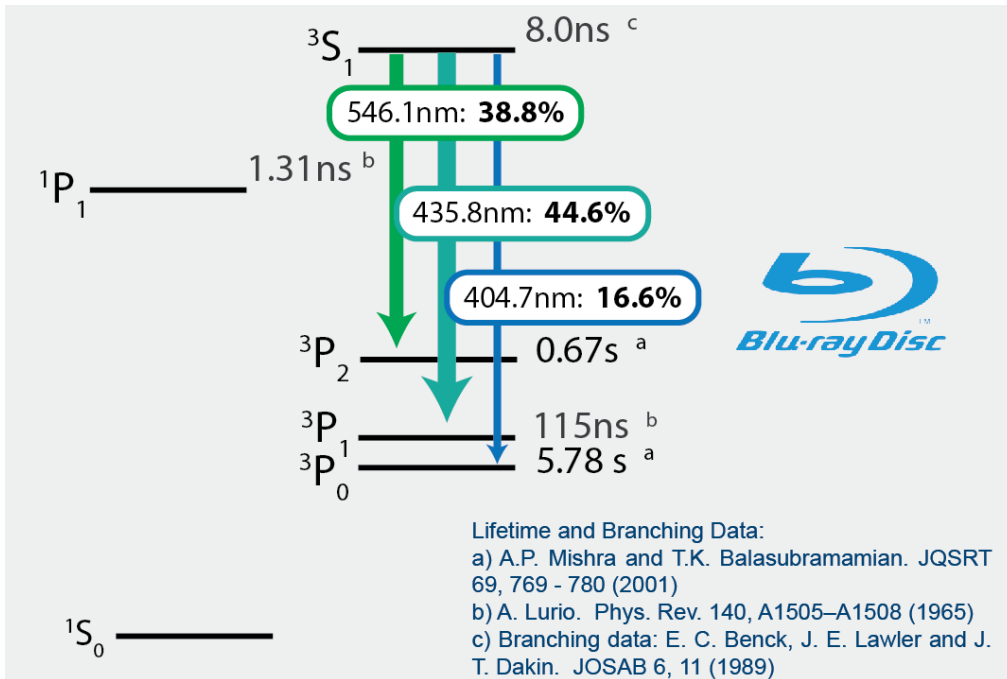


- After replacing the amplifier in the system, measurements show no systematic change in the linewidth of the beat note.

Cold Hg Clock



Advantages
•Dense MOT



- QE 435:
 OD 2.64
 0.2%
- SNR:
 7 counts/sec



Sample Scan

80 ¹S₀
Hg
Mercury
200.59
[Xe]4f¹⁴5d¹⁰6s²
10.4375

