6-1 4jw & 1 LHP. There are 2 rows of zeros! The rows are as follows: s^5: 1 2 1 s<sup>4</sup>: 2 4 2 s<sup>3</sup>: 8 8 0 (Row of Zeros) s^2: 2 2 0 s<sup>1</sup>: 4 0 0 (Row of Zeros) s^0: 2 0 0 Let's analyze the even polynomial at s<sup>4</sup>: 2s<sup>4</sup>+4s<sup>2</sup>+2 Clearly, there are 4 roots, and the table shows no sign changes. Therefore there are 4 roots on the jw axis. Looking above the s<sup>4</sup> row, we see no sign changes. There are a total of 5 poles, so the fifth must be in the LHP. 6-2 4jw, 1 LHP, 1 RHP. There is a row of zeros. 6-3 3 RHP, 2 LHP. We have a single zero. Try the reverse polynomial, -s^5+2s^4-3s^3+3s^2-s+1 s^5: -1 -3 -1 s^4: 2 3 1 s^3: -1.5 -.5 0 s^2: 2.3 1 0 s^1: .1429 0 0 s^0: .1429 0 0 There are 3 sign changes, so there are 3RHP poles. There must be a total of 5 poles, so the other 2 are in the LHP. 6-4 2jw & 2 LHP. There is a row of zeros. 6-14 4jw, 1RHP, 2LHP. There is a row of zeros. 6-18 We find the Closed loop transfer function is K(s+6)  $s^{3} + 4s^{2} + (K+3)s + 6K$ 

We can form the Routh table with the following rows:

1

1 K+3 4 6K 3-.5K 6K We want the first row to be all positive (no sign changes), so K>0 and K<6. 6-19 We find the Closed loop transfer function (CLTF) as K(s+1)T(S) = -----s<sup>4+9s</sup>3+26s<sup>2+</sup>(K+24)s+K And the routh table becomes: s^4 1 26 к s^3 9 24+K 0 s^2 210-к 9K 0 s^1  $(-K^{2}+105K+5040)$ 0 -----0 210-K s^0 9К We want the first row to be all positive, so 210-K>0, or K<210  $(-K^{2}+105K+5040)/(210-K)>0$ , or K<140.8 9K>0, or K>0 so 0<K<140.8 6-34 The closed loop transfer function is Κ T(S) = ---- $s^{4} + 8s^{3} + 17s^{2} + 10s + K$ and the Routh table is

s^4 17 1 κ ຣ^3 8 10 s^2 126/8 Κ s^1 -32/63 K + 10s^0 Κ and for first row positivity, K>0 and -32/63 K +10 >0, or K<19.69 a) 0<K<19.69 b) A row of all zeros creates marginal stability, so K=19.69 for marginal stability. c) Using Matlab with K=19.69, we find the poles are at +/- 1.118j, -4.5, -3.5