## How to Falsify a Dark Energy Paradigm

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# Makeup of universe today

Visible Matter (stars 0.4%, gas 3.6%)

Dark Matter (suspected since 1930s established since 1970s)

> Also: radiation (0.01%)



# Evidence for Dark energy from type Ia Supernovae



Union2 SN compilation binned in redshift





 $w \equiv \frac{p_{\rm DE}}{\rho_{\rm DE}}$ 

# Current evidence for dark energy is impressively strong



### Hints that w < -1??



**Shafer & Huterer, 1312.1688** 

## Only if $H_0 \ge 71$ and Planck assumed



#### Shafer & Huterer, 1312.1688

#### SN datasets and dark energy constraints



## Big questions

- 1. Is DE something other than vacuum energy?
- 2. Does GR self-consistently describe cosmic acceleration?

## Current constraints on w(z): largely from geometrical measures



Planck XIV, "Dark Energy and Modified Gravity", arXiv:1502.01590

## Remainder of talk

Part I: testing DE with geometry and growth Part II: making predictions for DE observables

## Dark Energy suppresses the growth of density fluctuations

(a=1/4 or z=3) 1/4 size of today (a=1/2 or z=1) 1/2 size of today

(a=1 or z=0) Today



with DE

without DE

Huterer et al, Snowmass report, 1309.5385

The Virgo Consortium (1996)

### Idea: compare geometry and growth

e.g. Wang, Hui, May & Haiman 2007

### Our approach:

## Double the standard DE parameter space $(\Omega_{M}=1-\Omega_{DE} \text{ and } w):$ $\Rightarrow \Omega_{M}^{\text{geom}}, w^{\text{geom}} \Omega_{M}^{\text{grow}}, w^{\text{grow}}$ [In addition to other:

standard parameters:  $\Omega_{M}h^{2} \Omega_{B}h^{2}$ , n<sub>s</sub>, A) nuisance parameters: probe-dependent]

Ruiz & Huterer, arXiv:1410.5832

## (Current) Data used



CMB (Planck peak location) Weak Lensing (CFHTLens) BAO (6dF, SDSS LRG, BOSS CMASS)



## Sensitivity to geometry and growth

Cosmological Probe	Geometry	Growth
SN Ia	$H_0 D_L(z)$	
BAO	$\left(\frac{D_A^2(z)}{H(z)}\right)^{1/3}/r_s(z_d)$	
CMB peak loc.	$R \propto \sqrt{\Omega_m H_0^2} D_A(z_*)$	
Cluster counts	$rac{dV}{dz}$	$rac{dn}{dM}$
Weak lens 2pt	$\frac{r^2(z)}{H(z)}W_i(z)W_j(z)$	$P\left(k = \frac{\ell}{r(z)}\right)$
RSD	$F(z) \propto D_A(z) H(z)$	$f(z)\sigma_8(z)$

#### Standard parameter spaces



EU = Early Universe prior from Planck ( $\Omega_M h^2$ ,  $\Omega_B h^2$ ,  $n_s$ , A) SH = Sound Horizon prior from Planck ( $\Omega_M h^2$ ,  $\Omega_B h^2$ )

Ruiz & Huterer, arXiv:1410.5832

#### Omega matter: geometry vs. growth



\* SN not the recalibrated JLA compilation - need to update; will move  $\Omega_M^{\mathrm{grow}}$  up

### w (eq of state of DE): geometry vs. growth



Evidence for  $w^{grow} > w^{geom}$ :  $3.3-\sigma$ 

## Redshift Space Distortion data



#### RSD prefer $w^{grow} > -1$ (slower growth than in LCDM)



# (Pretty high) neutrino mass can relieve the tension



Ruiz & Huterer, arXiv:1410.5832

## Remainder of talk

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## Falsifying DE Paradigms

## Underlying Philosophy:

- For any given class of DE models, current data predict the possible range in fundamental cosmological functions D(z), H(z), G(z), etc ...
- ... which therefore provide 'target' quantities (in redshift) for ruling out classes of DE models with upcoming data

Mortonson, Hu & Huterer, 2009-2011

# Methodology

1. Start with the parameter set:

$$\Omega_{\mathrm{M}}, \Omega_{\mathrm{K}}, H_0, w(z), w_{\infty}$$

2. Use either the current data or future data (current = Union2 SN + WMAP + BAO<sub>z=0.35</sub> + H<sub>0</sub> future = Planck + Space DE)

**3. Employ the likelihood machine** Markov Chain Monte Carlo likelihood calculation, between ~2 and ~15 parameters constrained

4. Compute predictions for D(z), G(z), H(z) (and  $\gamma(z)$ , f(z))

## Structure of graphs to follow



Sketch by M. Mortonson









Grey: flat Blue: curved

D, G to <1% everywhere H(z=1) to 0.1% for flat LCDM





#### Therefore:

# Whole classes of DE models are highly falsifiable

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Straightforward to make predictions for actually observable quantities for a given survey, given the class of DE models



Vanderveld, Mortonson, Hu & Eifler 2012

# Dark Energy Survey Instrument (DESI)





- Huge spectroscopic survey on Mayall telescope (Arizona)
- ~5000 fibres, ~15,000 sqdeg, ~20 million spectra
- LRG in 0 < z < 1, ELG in 0 < z < 1.5, QSO 2.2 < z < 3.5
- Great for **dark energy** (RSD, BAO)
- $\bullet$  Great for primordial non-Gaussianity P(k, z), bispectrum...
- Start ~2018, funding DOE + institutions

## Conclusions

So far, all measurements are in excellent agreement with Lambda (i.e. w = -1)...

...despite occasional alarms to the contrary:

▶ Planck + BAO + SN + high  $H_0^{local}$ 

Separating growth from geometry is a good way to get a) constraints b) insights into DE constraints; it now indicates a 3-sigma growth ≠ geometry discrepancy

We now have accurate, tight predictions for D(z), G(z), H(z) and the observable quantities for each class of DE models  $\Rightarrow$  way to rule them out.

# EXTRA SLIDES

To shed light on dark energy: search for 'something else' in the data

- Variation of eq. of state w  $\rightarrow$  (none yet)
- Clustering of DE
- DM-DE interactions
- Early dark energy
- Modified gravity (MG)

- $\rightarrow$  (super hard)
- $\rightarrow$  (none yet)
- $\rightarrow$  (none yet)
- $\rightarrow$  (none yet)

### BAO data

Survey	$z_{ m eff}$	Parameter	Measurement
6 dFGS [33]	0.106	$r_s/D_V$	$0.336 \pm 0.015$
SDSS LRG $[34]$	0.35	$D_V/r_s$	$8.88\pm0.17$
BOSS CMASS $[35]$	0.57	$D_V/r_s$	$13.67\pm0.22$

TABLE III. BAO data measurements used here, together with the effective redshift for the corresponding galaxy sample.



TABLE IX. Mean mass (and their number) of clusters with a richness within the given bin.

## RSD (BOSS paper)



#### Measured 2-pt correlation func from CFHTLens



Parameter	Unsplit, $w = -1$	Unsplit, $w$ free	Split, $w = -1$	Split, $w$ free
$\Omega_M \left\{ \Omega_M^{\text{geom}} \right\}$	$0.303 \pm 0.008$	$0.299 \pm 0.010$	$0.302\pm0.008$	$0.283 \pm 0.011$
$\int \Omega_M^{\mathrm{grow}}$			$0.321\pm0.017$	$0.311\pm0.017$
$\Omega_M h^2$	$0.140\pm0.001$	$0.141 \pm 0.002$	$0.140\pm0.001$	$0.142\pm0.002$
$\Omega_b h^2$	$0.0221 \pm 0.0002$	$0.0220\pm0.0003$	$0.0221 \pm 0.0002$	$0.0221 \pm 0.0003$
$w \int w^{\text{geom}}$		$-1.03 \pm 0.05$		$-1.13\pm0.06$
$w = w^{\text{grow}}$		$1.00 \pm 0.00$		$-0.77\pm0.08$
$10^{9}A$	$1.95\pm0.09$	$1.91\pm0.10$	$1.96\pm0.09$	$2.17\pm0.13$
$n_s$	$0.961 \pm 0.005$	$0.959 \pm 0.006$	$0.962 \pm 0.005$	$0.961 \pm 0.006$
$\sigma_8$	$0.786 \pm 0.015$	$0.788 \pm 0.016$	$0.782 \pm 0.016$	$0.771 \pm 0.017$
h	$0.680 \pm 0.006$	$0.687 \pm 0.012$	$0.661 \pm 0.017$	$0.677 \pm 0.018$
$lpha_s$	$1.44\pm0.11$	$1.44\pm0.11$	$1.44\pm0.11$	$1.44\pm0.11$
$eta_{c}$	$3.26\pm0.11$	$3.26\pm0.11$	$3.26\pm0.11$	$3.27\pm0.11$
$\ln(N M_1)$	$2.36\pm0.06$	$2.37\pm0.06$	$2.29\pm0.08$	$2.33\pm0.08$
$\ln(N M_2)$	$4.15\pm0.09$	$4.16\pm0.09$	$4.09\pm0.11$	$4.15\pm0.11$
$\sigma_{NM}$	$0.359 \pm 0.057$	$0.357 \pm 0.057$	$0.378 \pm 0.059$	$0.367 \pm 0.060$
$\beta$	$1.041\pm0.050$	$1.045\pm0.051$	$1.018\pm0.054$	$1.036 \pm 0.055$
$\sigma_{MN}$	$0.462 \pm 0.081$	$0.459 \pm 0.082$	$0.486 \pm 0.085$	$0.464 \pm 0.084$

## Modeling DE

#### Modeling of low-z w(z): Principal Components

$$w(z_j) = -1 + \sum_{i=1}^N \alpha_i e_i(z_j)$$

100 i = 10i=9 80 i=8i=760 i=6  $e_i(z)$ i=540 i=4i=320 i=2i = 10 -0.6(0.8 ≤ 1.8 × 1.8 -1 0.5 1.5 0 Ζ

500 bins (so 500 PCs) 0.03<z<1.7

We use first ~10 PCs; (results converge  $10 \rightarrow 15$ )

Fit of a quintessence model with PCs

## **Cosmological Functions**

Expansion Rate (BAO):

$$H(z) = H_0 \left[ \Omega_{\rm M} (1+z)^3 + \Omega_{\rm DE} \frac{\rho_{\rm DE}(z)}{\rho_{\rm DE}(0)} + \Omega_{\rm K} (1+z)^2 \right]^{1/2}$$

# Distance (SN, BAO, CMB): $D(z) = \frac{1}{(|\Omega_{\rm K}|H_0^2)^{1/2}} S_{\rm K} \left[ (|\Omega_{\rm K}|H_0^2)^{1/2} \int_0^z \frac{dz'}{H(z')} \right]$

Growth (WL, clusters):

$$G'' + \left(4 + \frac{H'}{H}\right)G' + \left[3 + \frac{H'}{H} - \frac{3}{2}\Omega_{\rm M}(z)\right]G = 0$$

 $G = D_1/a$ 

# Methodology

1. Start with the parameter set:

 $\Omega_{\mathrm{M}}, \Omega_{\mathrm{K}}, H_0, w(z), w_\infty^{\mathrm{(early \, DE \, eq \, of \, state)}}$ 

2. Pre-compute PCs of w(z) based on future data

3. Using either the current data or future (SNAP+Planck) data...

4. ...employ the likelihood machine... Markov Chain Monte Carlo likelihood calculation, between ~2 and ~15 parameters constrained

5. .... and compute predictions for D(z), G(z), H(z) etc

## Predictions from **Future** Data

Assumed "data":

 SNAP 2000 SNe, 0.1<z<1.7</li>
 (plus 300 low-z SNe); converted into distances
 Planck info on Ω<sub>m</sub>h<sup>2</sup> and D<sub>A</sub>(z<sub>rec</sub>)



 $\mathbf{Alive}^{\sigma_{\alpha}^2} = \left(\frac{0.1}{\Delta z_{\rm sub}}\right) \left[\frac{0.15^2}{N_{\alpha}} + 0.02^2 \left(\frac{1+z}{2.7}\right)^2\right]$ 

### Dead



Predictions below shown around: fiducial model

## Cosmological "observable" functions



Modeling of Early DE  

$$\rho_{\rm DE}(z > z_{\rm max}) = \rho_{\rm DE}(z_{\rm max}) \left(\frac{1+z}{1+z_{\rm max}}\right)^{3(1+w_{\infty})}$$

de Putter & Linder 2008

Modeling of modified Gravity  

$$G(a) = \exp\left(\int_{0}^{a} d\ln a' \left[\Omega_{M}^{\gamma}(a') - 1\right]\right)$$

Linder 2005

In *principal*, constraints are good...

$$w(z_j) = -1 + \sum_{i=1}^N \alpha_i e_i(z_j)$$

 $\alpha_i = PC$  amplitude  $e_i(z) = PC$  shape



Ruiz, Shafer, Huterer & Conley 2012

**Red** = with SN systematics

## Structure of graphs to follow



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D, G to <1% everywhere H(z=1) to 0.1% for flat LCDM



